Materials dependence of the spin-transfer torques on DW

Ke Xia(Beijing Normal University)

Shuai Wang, Zhe Yuan(IOP, CAS)

Cheng Wang(Peking University)

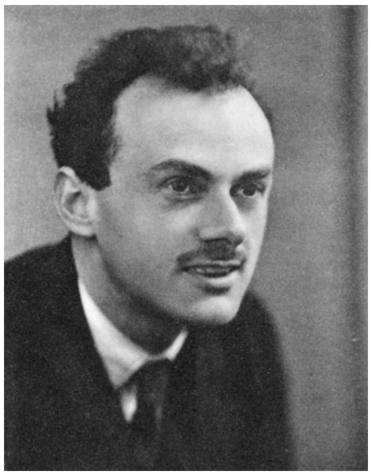
Outline

- Introduction
- Two approachs to STT
- STT in spin valves
- Gilbert Damping
- Summary

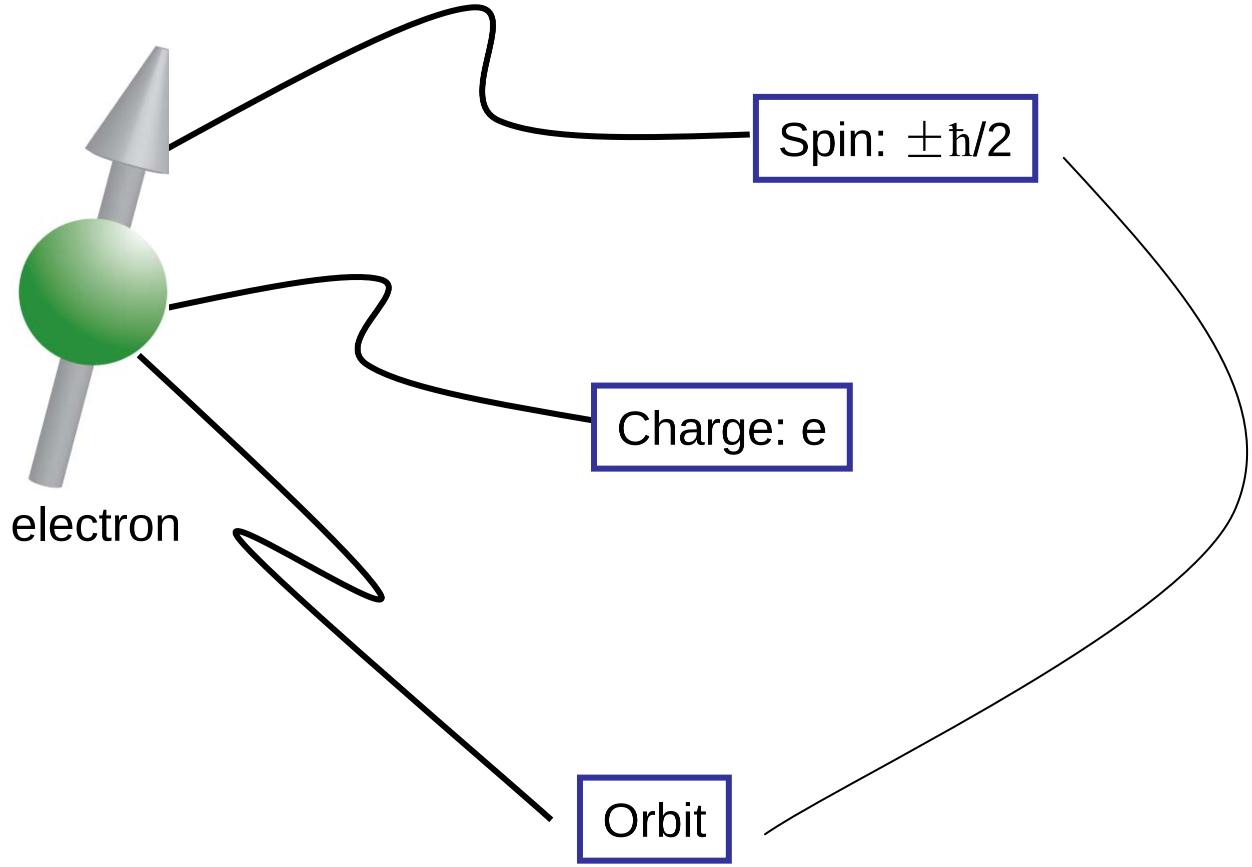
Dirac equation

Electron should have "spin."

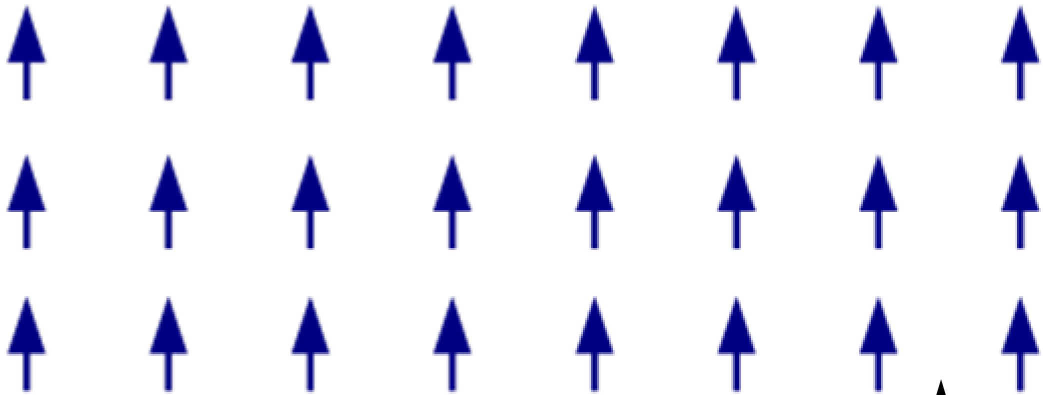
(1928)

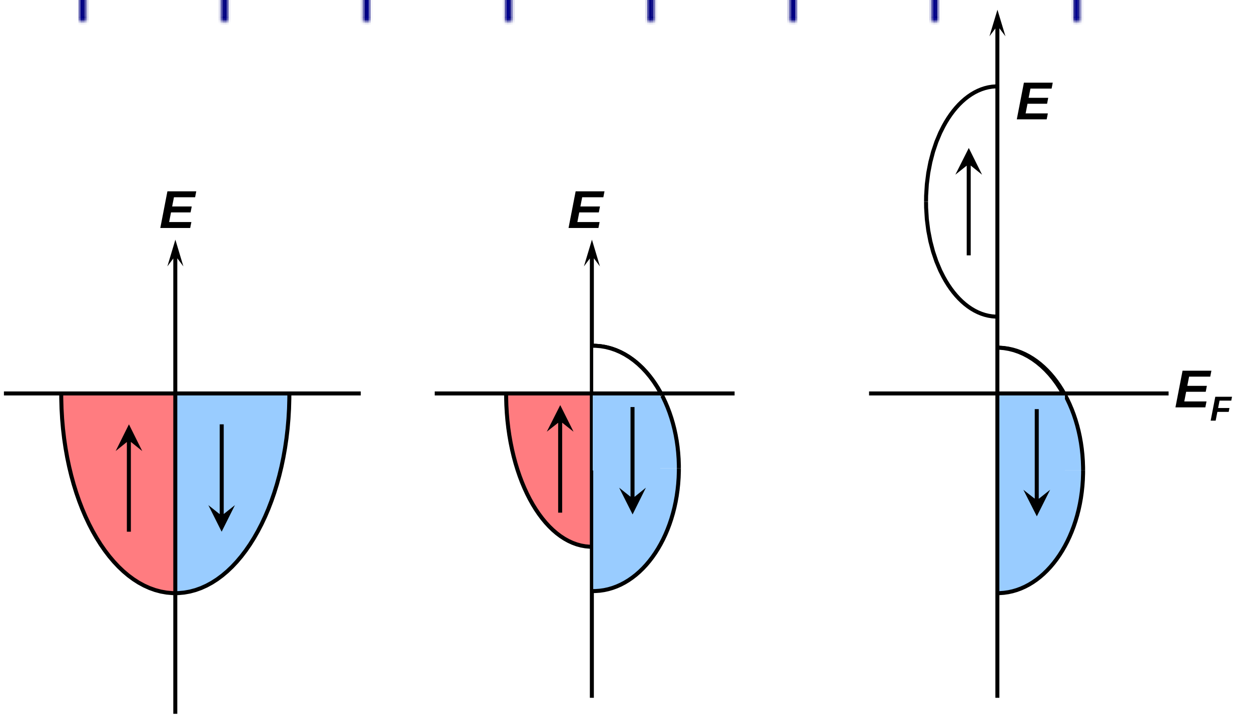


P.A.M. Dirac

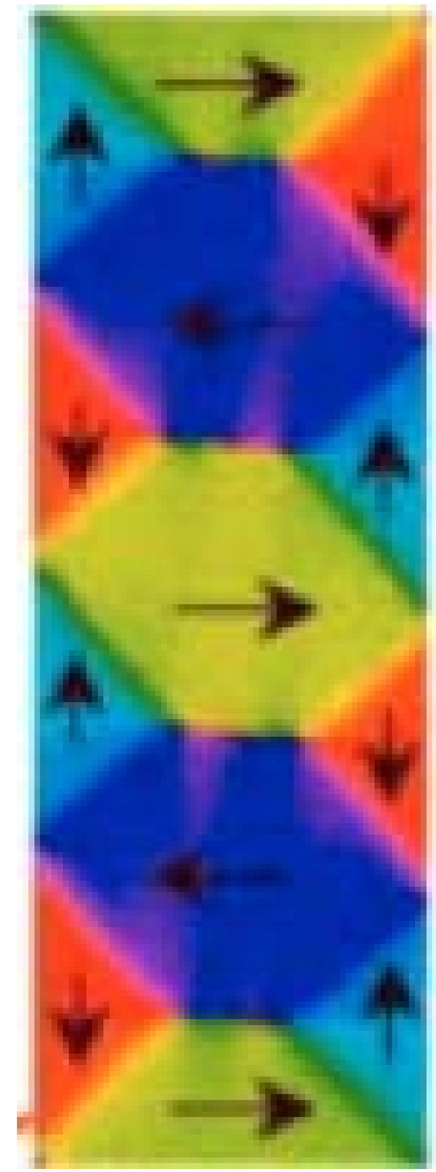


Ferromagnetism



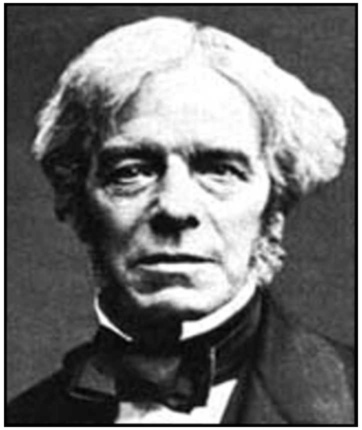


正常金属　　铁磁金属　　自旋半金属



L. Thomas *et al*., (2000).

Faraday effect---Maxwell Equation (1865)

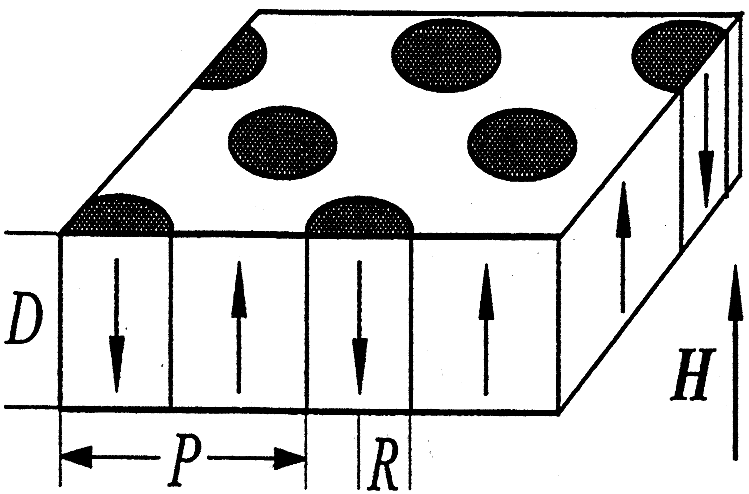


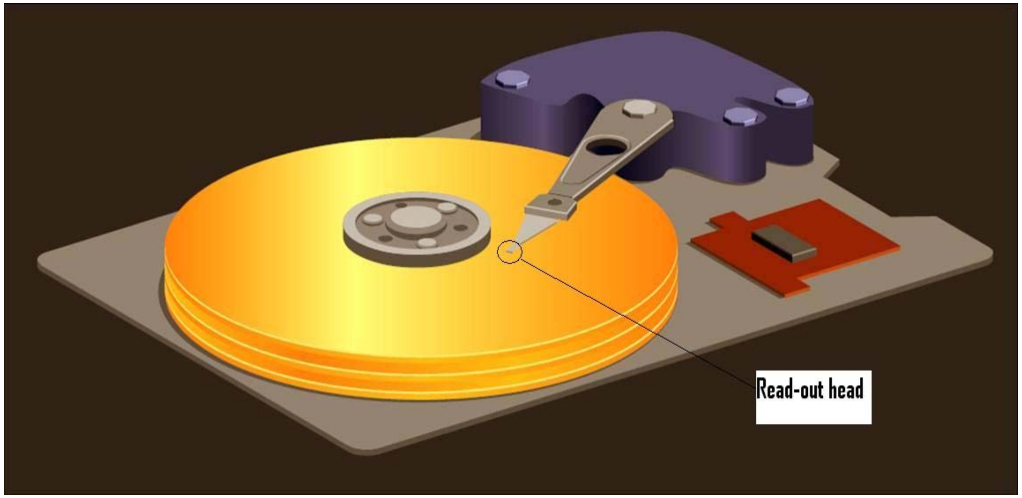
M. Faraday

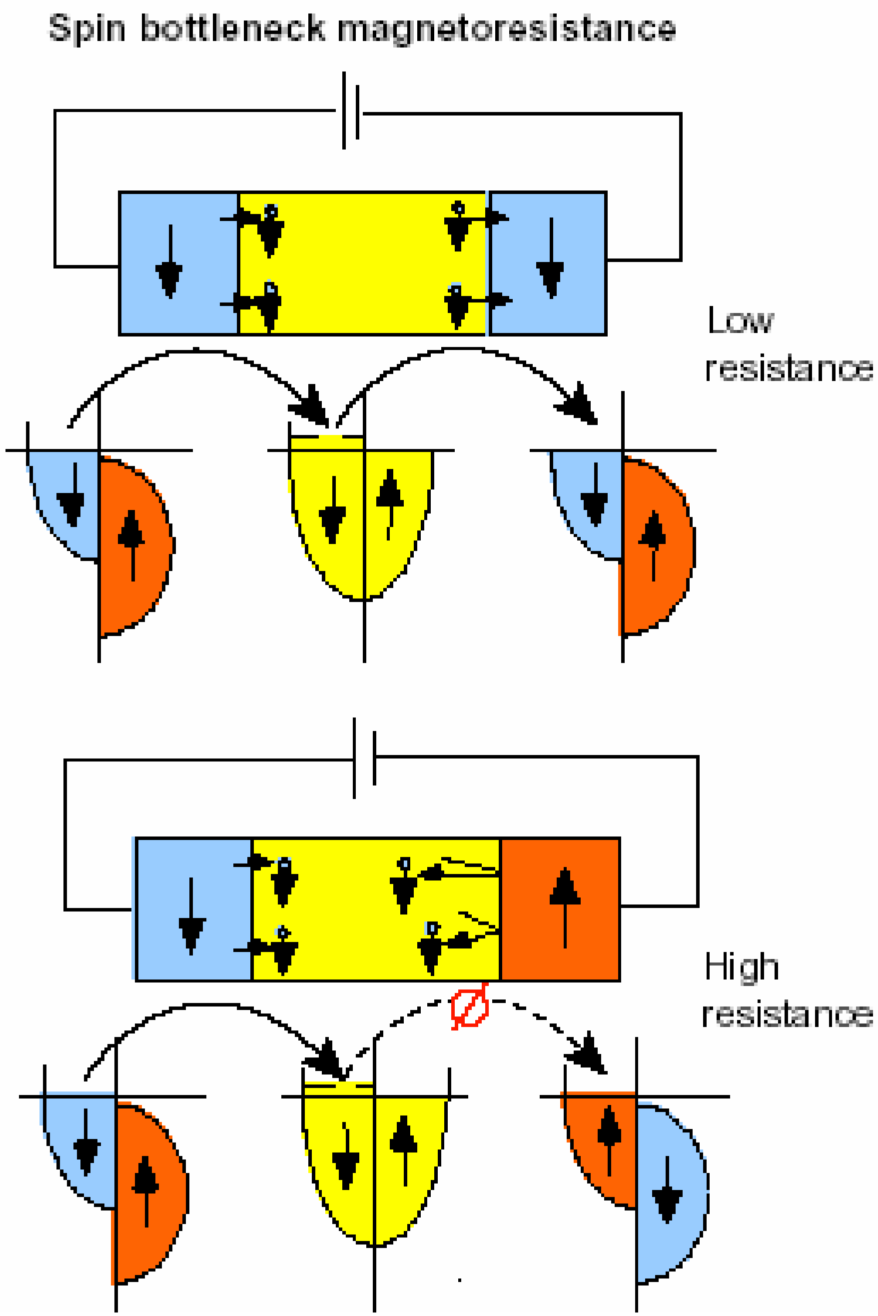
Faraday's law:

$$\mathcal{E} = -\frac{d\Phi}{dt}$$

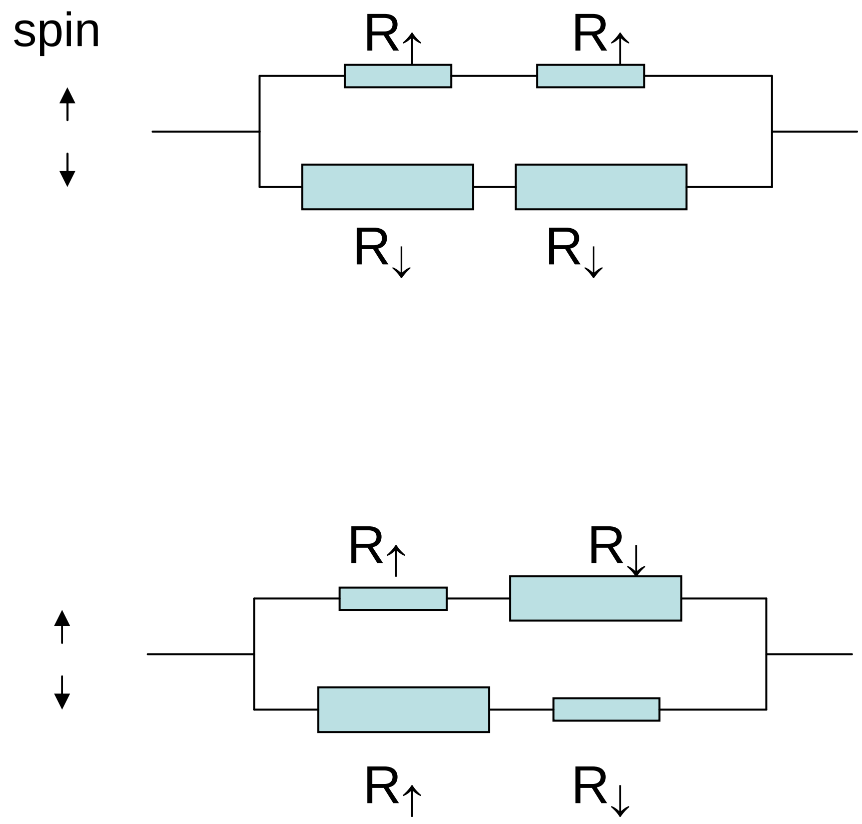
(1831)





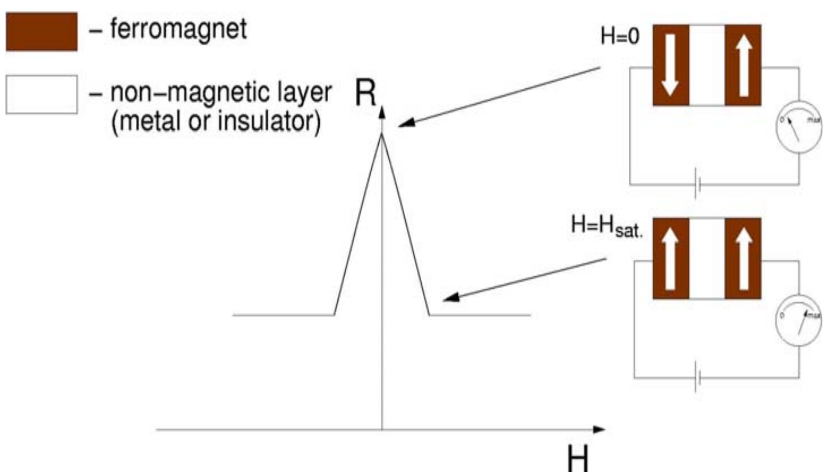


$$MR = \frac{R^{AP} - R^{P}}{R^{P}} = \frac{(R_{\uparrow} - R_{\downarrow})^2}{4R_{\uparrow}R_{\downarrow}}$$

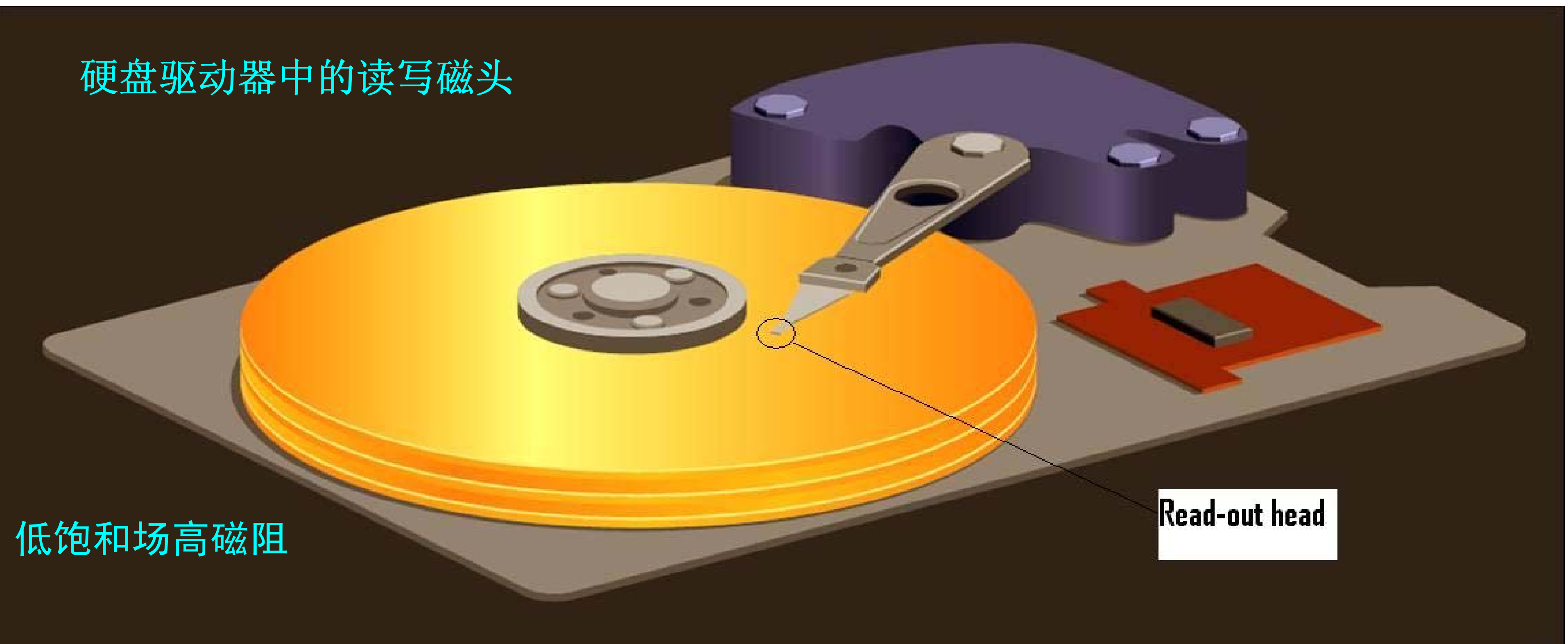


磁矩对电子的散射---GMR

自旋阀-GMR



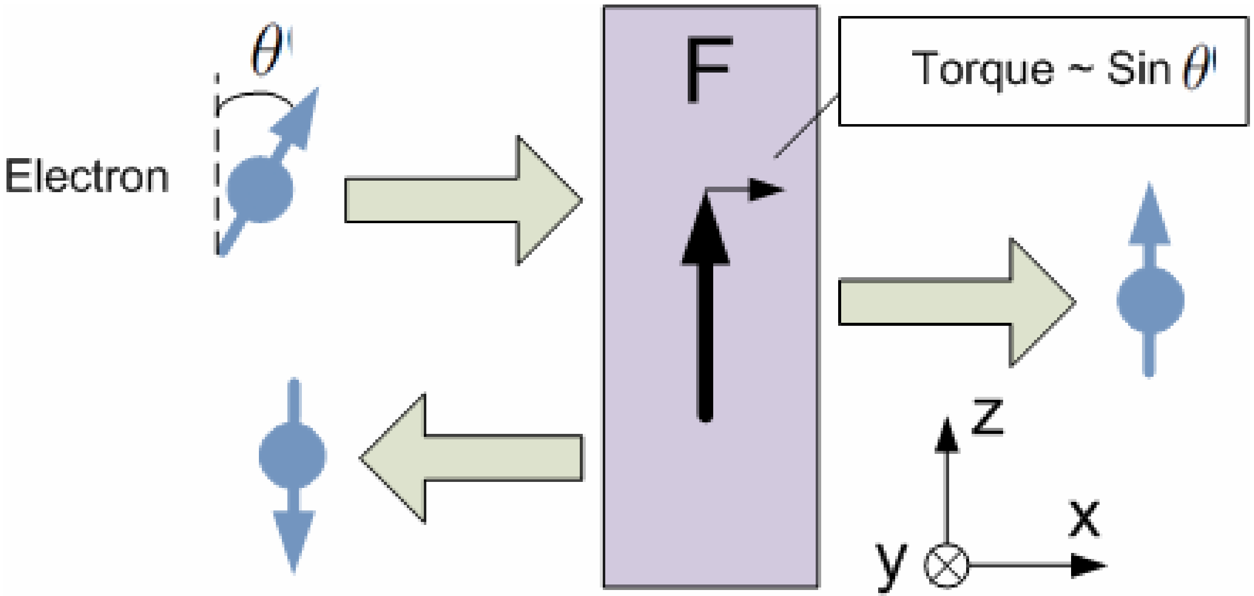
– ferromagnet
– non–magnetic layer
(metal or insulator)
R
H
H=0
H=Hsat.



硬盘驱动器中的读写磁头
低饱和场高磁阻
Read-out head

Schematic of exchange torque generated by spin-filtering

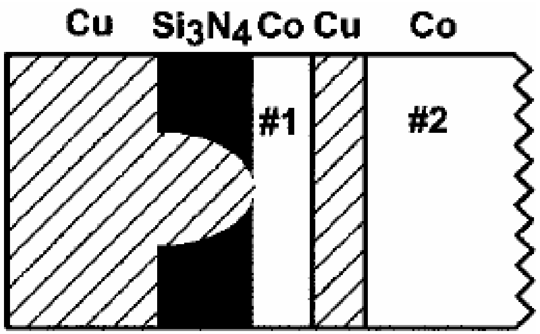
$$|\psi_{in}\rangle = \frac{e^{ik_\uparrow x}}{\sqrt{k_\downarrow}} \cos\left(\frac{\theta}{2}\right) |\uparrow\rangle + \frac{e^{ik_\downarrow x}}{\sqrt{k_\downarrow}} \sin\left(\frac{\theta}{2}\right) |\downarrow\rangle$$

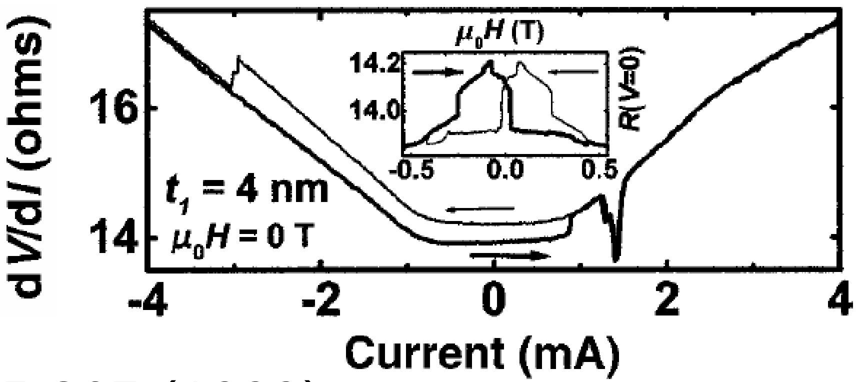


$$|\psi_r\rangle = \frac{e^{-ik_\downarrow x}}{\sqrt{k_\downarrow}} \sin\left(\frac{\theta}{2}\right) |\downarrow\rangle \qquad |\psi_t\rangle = \frac{e^{ik_\uparrow x}}{\sqrt{k_\uparrow}} \cos\left(\frac{\theta}{2}\right) |\uparrow\rangle$$

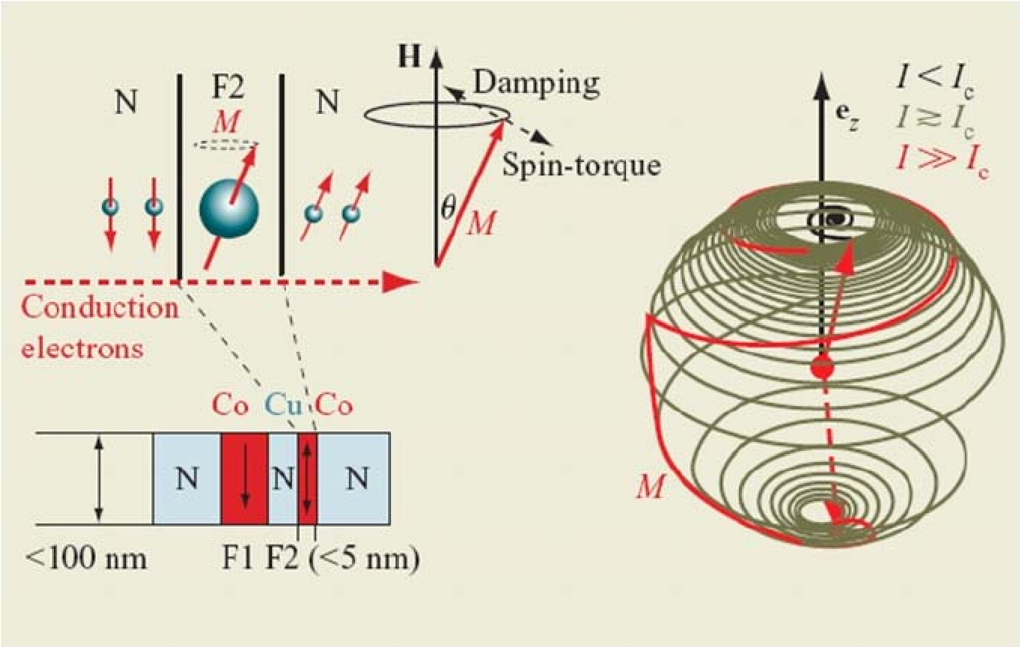
Slonczewski, J. C. (1996). Berger, L. (1996). L. Berger (1974)

Spin-transfer torques effects (1999)





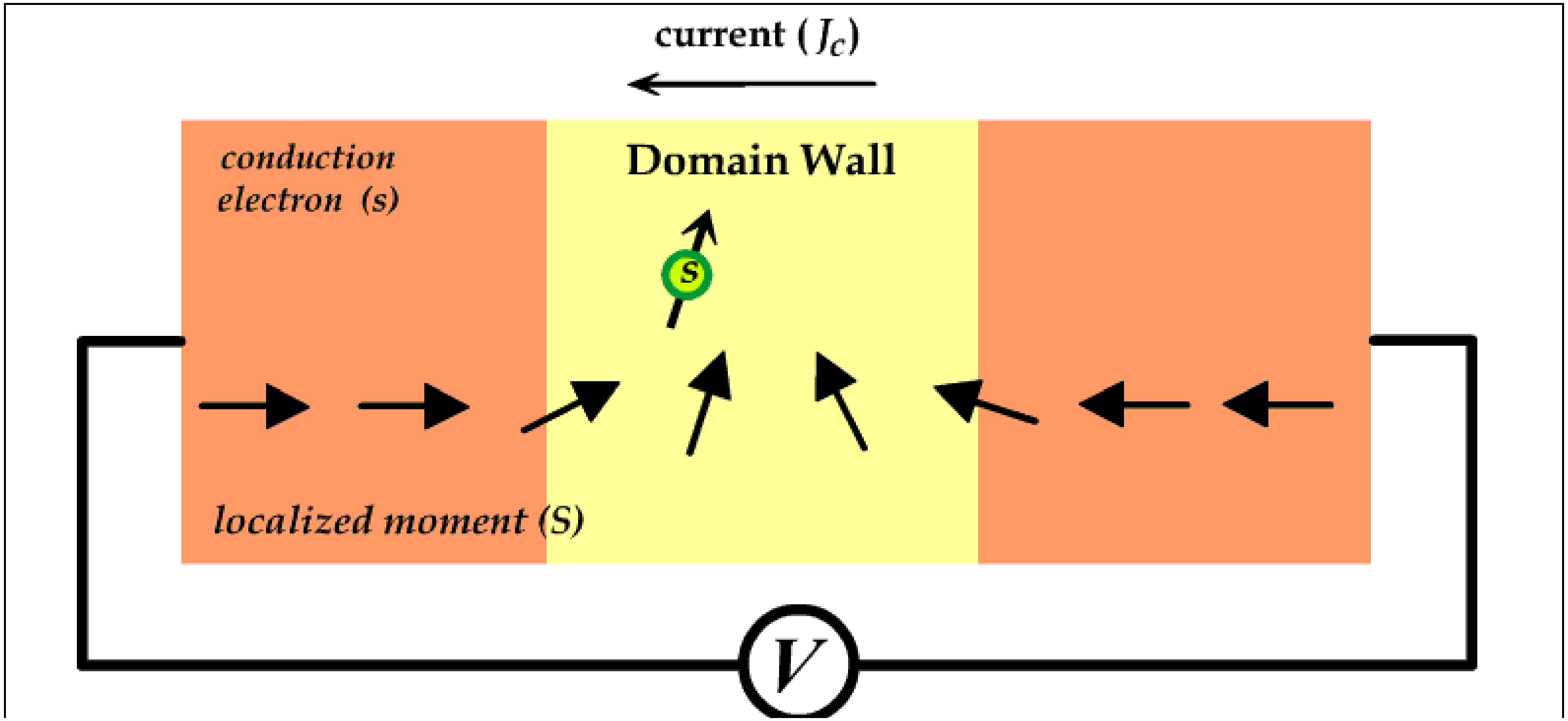
Myers, et al., Science 285,867 (1999)

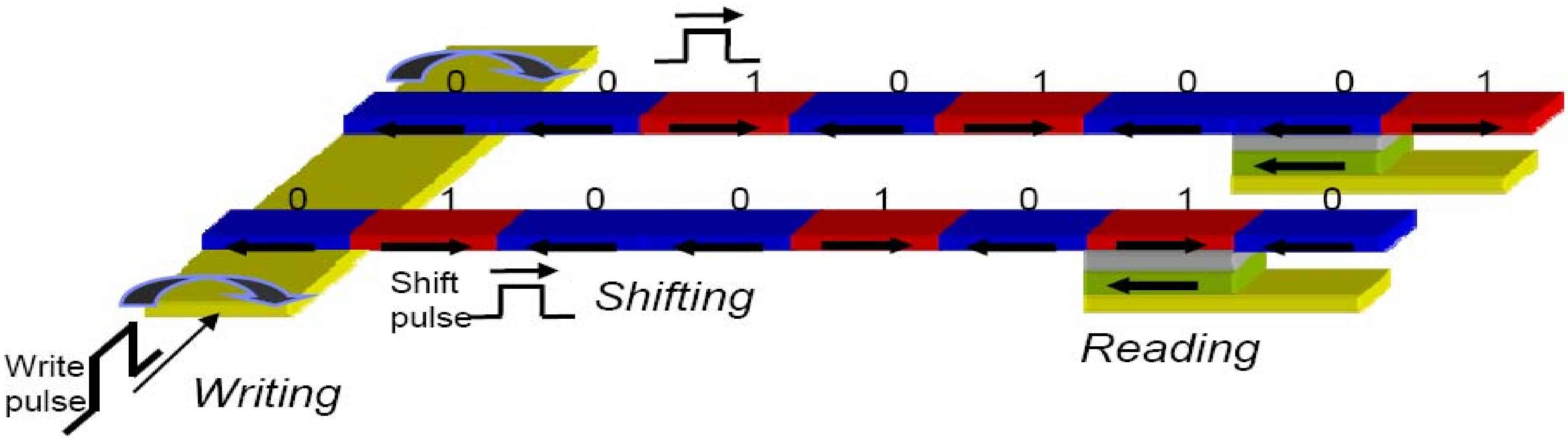


Sun, IBM J. Res. & Dev. 50, 81(2006)

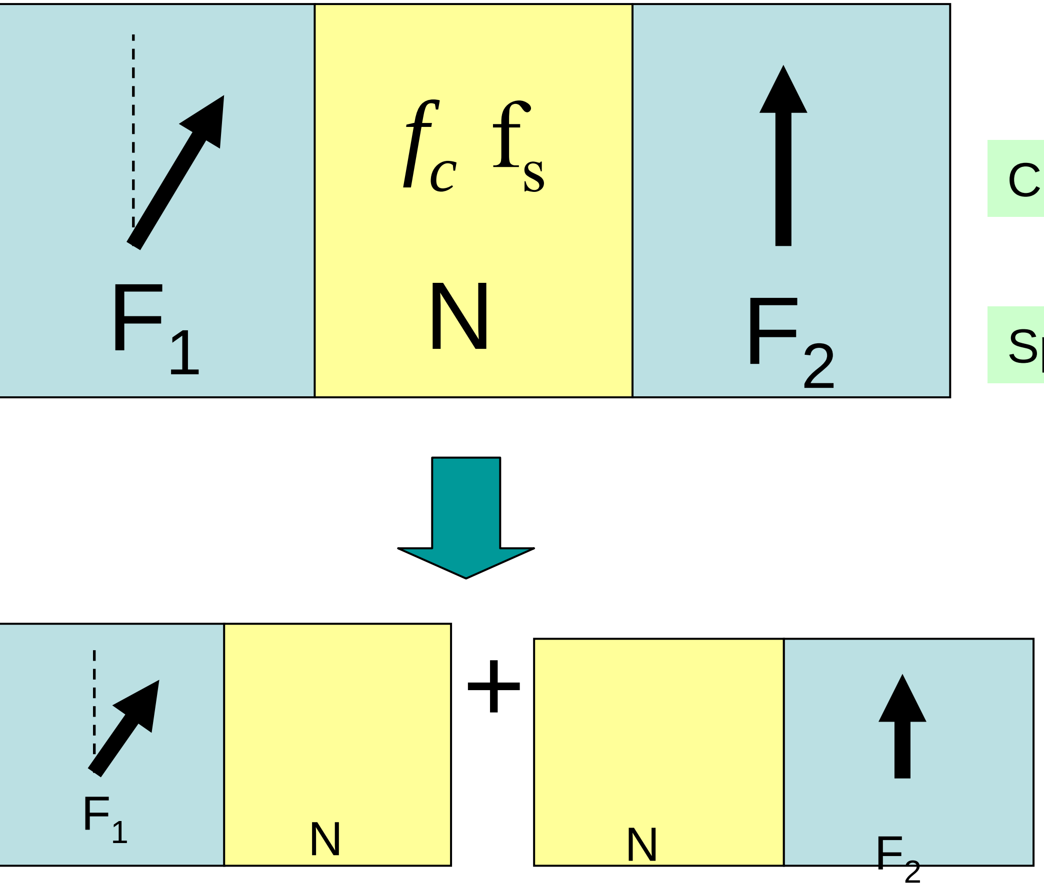
Current-driven domain wall motion:

$$\theta = 2\cot^{-1} e^{-(z-z_0)/w}$$





Circuit theory(Batraas2001)



Boundary condition

Charge current $I_1 = I_2$

Spin current $\mathbf{I}_{s1} = \mathbf{I}_{s2}$

Charge accumulation f_c

Spin accumulation f_s

In-plane torque $\tau = \frac{\hbar}{2e}\left(I_{s1} - I_{s1} \cdot m_2\right)$

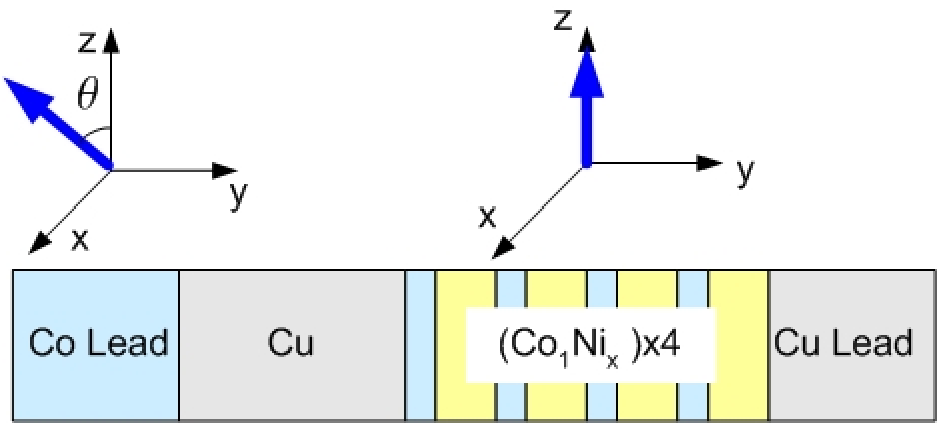
Current and spin current for F_1/N

$$I_1 = \left(G^{\uparrow} + G^{\downarrow}\right)\left(f_c^{F1} - f_c^{N}\right) + \left(G^{\uparrow} - G^{\downarrow}\right)\left(f_s^{F1} - \mathbf{m}_1 \cdot \mathbf{s} f_s^{N}\right)$$

$$\begin{aligned}\mathbf{I}_{s1} = & \left(G^{\uparrow} + G^{\downarrow}\right)\left(f_c^{F1} - f_c^{N}\right)\mathbf{m}_1 \\ & + \left(2\mathrm{Re}G^{\uparrow\downarrow} - G^{\uparrow} - G^{\downarrow}\right)\mathbf{m}_1 \cdot \mathbf{s} f_s^{N}\mathbf{m}_1 \\ & - 2\mathrm{Re}G^{\uparrow\downarrow}\mathbf{s} f_s^{N} + 2\mathrm{Im}G^{\uparrow\downarrow} f_s^{N}\mathbf{m}_1 \times \mathbf{s}\end{aligned}$$

Methods

First principles approach to spin transfer torques



- First-principles tight-binding LMTO
- Green function method for layered systems.
- Large system with the number of atoms > 1000

Spin current:

$$\hat{\mathcal{J}} \equiv \frac{1}{2}\left[\hat{\sigma}\otimes\hat{\mathbf{V}} + \hat{\mathbf{V}}\otimes\hat{\sigma}\right]$$

Spin torque from one lead:

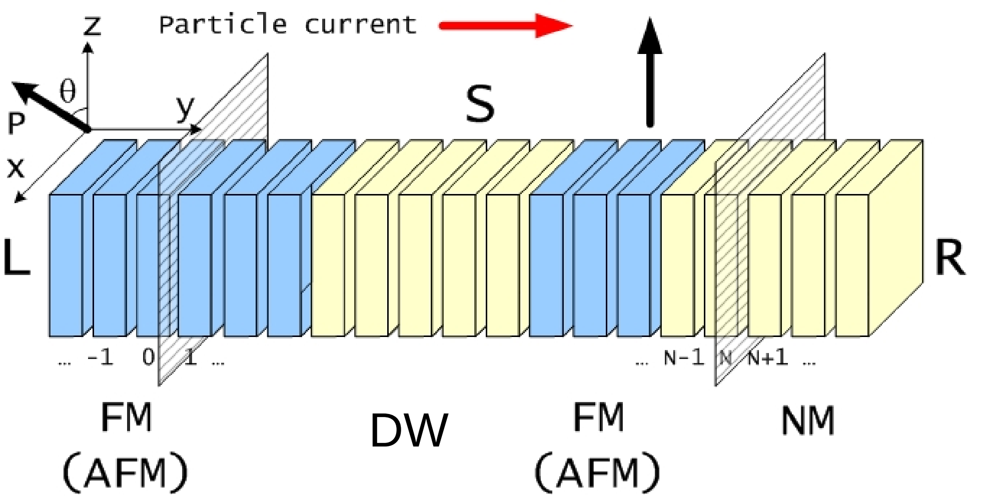
$$\left\langle \hat{\mathbf{T}}^s_{\mathbf{R}}(\mathbf{k}_\parallel)\right\rangle = \sum_{\mathbf{R}'\in I-1,I}\left\langle \hat{\mathcal{J}}^s_{\mathbf{R}',\mathbf{R}}(\mathbf{k}_\parallel)\right\rangle - \sum_{\mathbf{R}'\in I,I+1}\left\langle\hat{\mathcal{J}}^s_{\mathbf{R},\mathbf{R}'}(\mathbf{k}_\parallel)\right\rangle$$

Spin torque on atom R:

$$\mathbf{T}_{\mathbf{R}} = \left(\frac{\hbar}{2}\right)\frac{e}{2h}\frac{1}{N_\parallel}\sum_{s,\mathbf{k}_\parallel}\left[\left\langle \hat{\mathbf{T}}^s_{\mathbf{R}}(\mathbf{k}_\parallel)\right\rangle_{\mathcal{L}} - \left\langle\hat{\mathbf{T}}^s_{\mathbf{R}}(\mathbf{k}_\parallel)\right\rangle_{\mathcal{R}}\right]V_b$$

S Wang , Y Xu, Ke Xia, (2008).

First principles approach to spin transfer torques



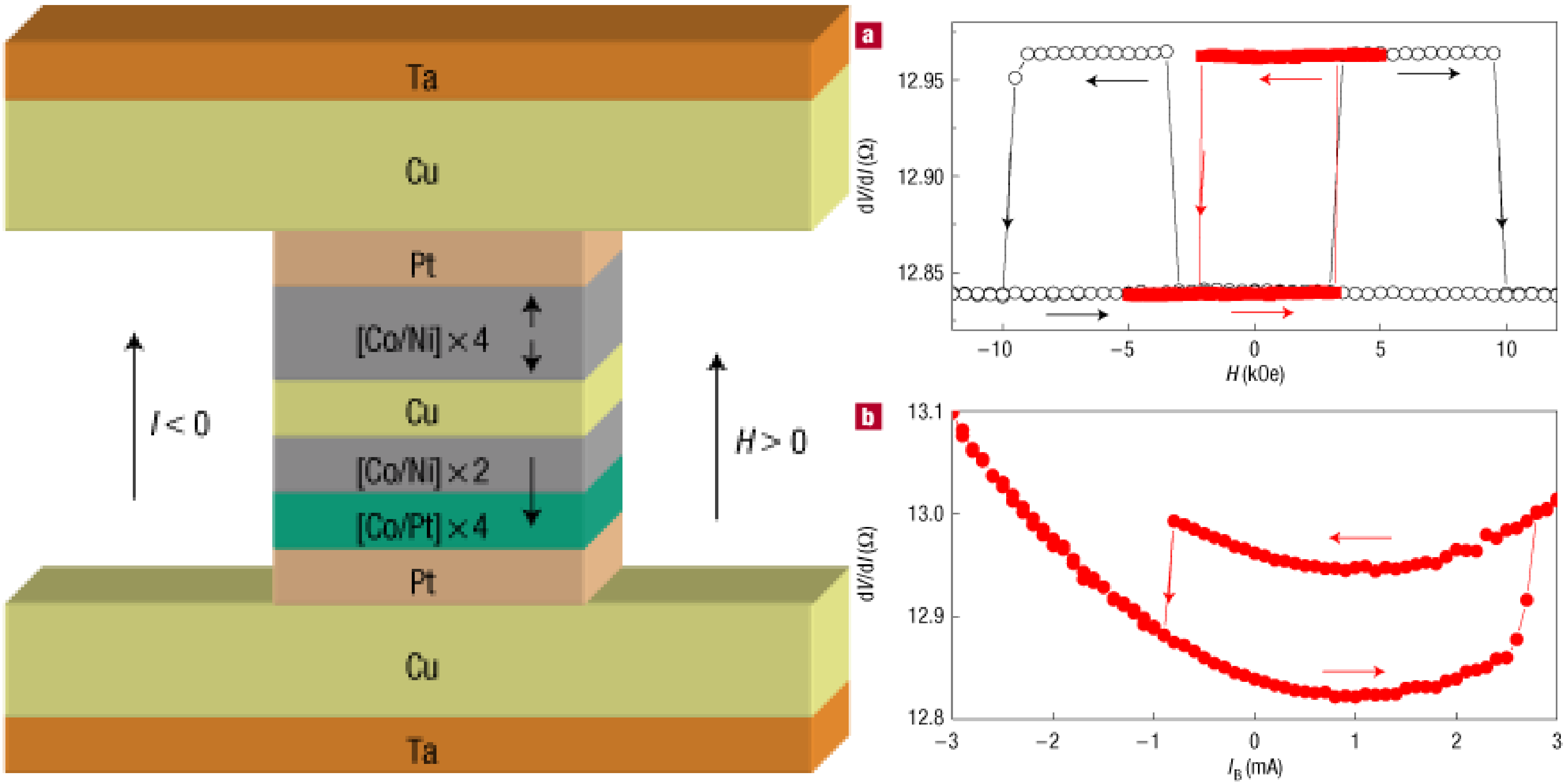
$$\tau \propto \langle \vec{s} \rangle \times \vec{M}$$

- TB LMTO
- Green function method
- NEGF if necessary
- Order& disorder

Linear equations of system

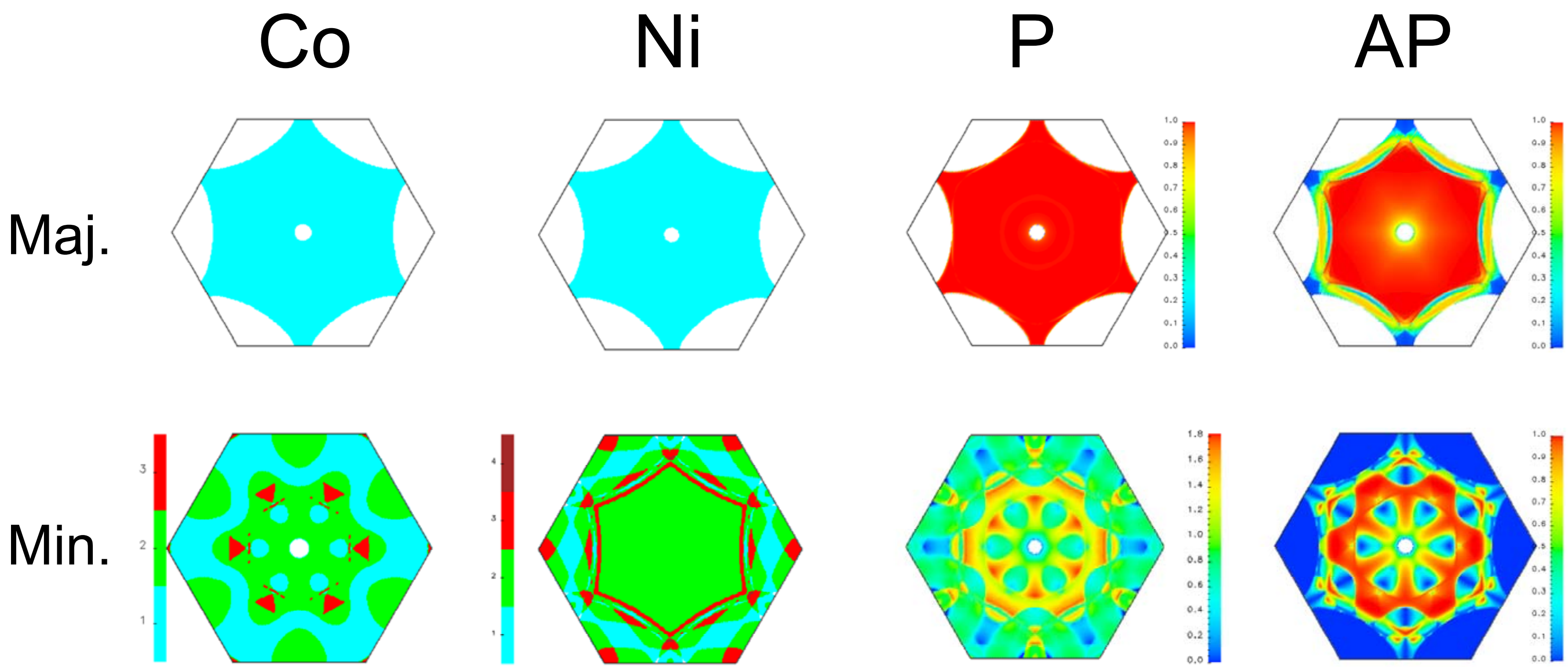
$$\begin{pmatrix} \mathbf{C}_0 \\ \mathbf{C}_1 \\ \mathbf{C}_2 \\ \cdots \\ \mathbf{C}_N \\ \mathbf{C}_{N+1} \end{pmatrix} = (\mathbf{UPU}^+ - \widetilde{\mathbf{S}})^{-1} \begin{pmatrix} \mathbf{S}_{0,-1}[\mathbf{F}_L^{-1}(+) - \mathbf{F}_L^{-1}(-)]\mathbf{C}_0(+) \\ 0 \\ 0 \\ \cdots \\ 0 \\ 0 \end{pmatrix}$$

Perpendicular Magnetized CoNi film



S.MANGIN et.al, Nature materials vol5,210, (2006) , D.Ravelosona, et.al, APL 90,072508 (2007),D.Ravelosona, et.al, PRL 96,186604(2006), D.Ravelosona, et.al,J.Phys.D: Appl.Phys.40,1253(2007)

Co|Ni interface



lattice constants	Configuration	AR(maj.)	AR(min.)	Gamma
Co(3.549)	P	0.0147	0.7251	0.9604
	AP	1.1585	2.1302	0.2955
Ni(3.524)	P	0.0242	0.7276	0.9357
	AP	1.1927	2.0679	0.2684
(Co+Ni)/2	P	0.0187	0.7310	0.9502
	AP	1.1567	2.1054	0.2908

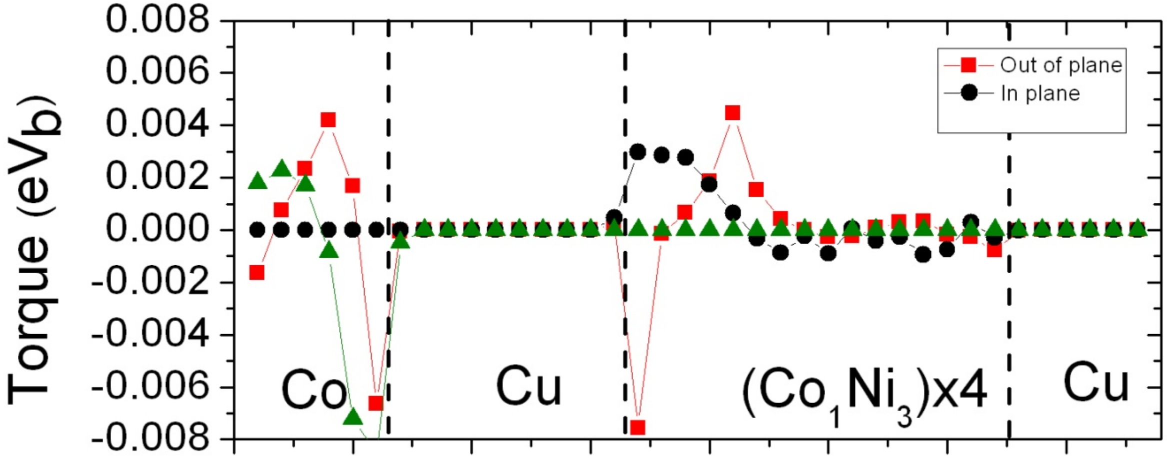
Interface resistance for Co|Ni(111)

AR unit $\mathbf{f^{-1}\Omega^{-1}m^{-2}}$

$$\mathbf{Gamma} = \frac{\mathbf{AR_{\downarrow} - AR_{\uparrow}}}{\mathbf{AR_{\uparrow} + AR_{\downarrow}}}$$

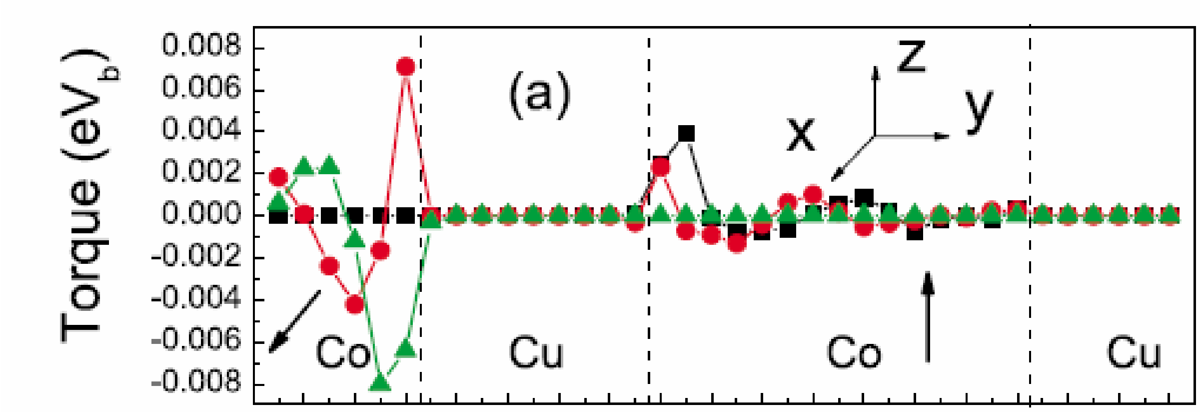
Lattice constant		AR(maj.)	AR(min.)	Gamma
Co	3.549	0.014664	0.725067	0.960353
Ni	3.524	0.0241504	0.727603	0.935749
½(Co+Ni)	3.537	0.0186835	0.730984	0.950155

Co_1Ni_3



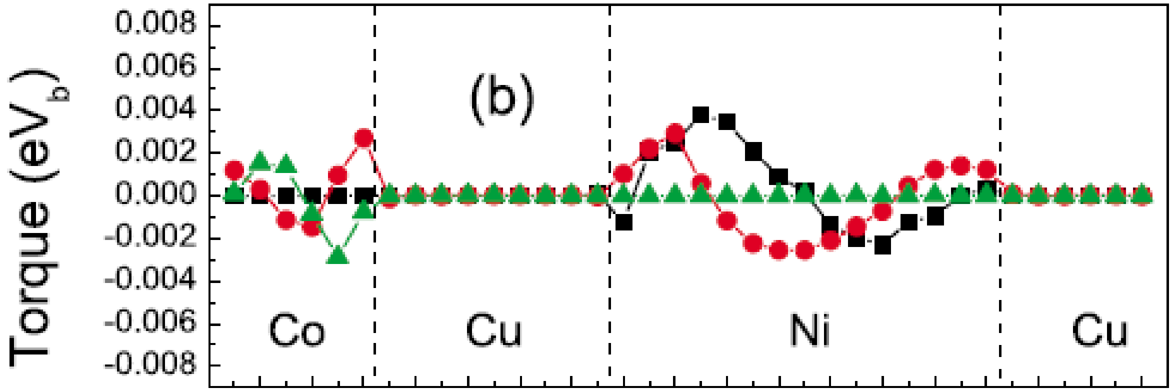
Torque (eVb)
0.008
0.006
0.004
0.002
0.000
-0.002
-0.004
-0.006
-0.008
Out of plane
In plane
Co
Cu
(Co1Ni3)x4
Cu

Co



Torque (eVb)
0.008
0.006
0.004
0.002
0.000
-0.002
-0.004
-0.006
-0.008
(a)
z
y
x
Co
Cu
Co
Cu

Ni

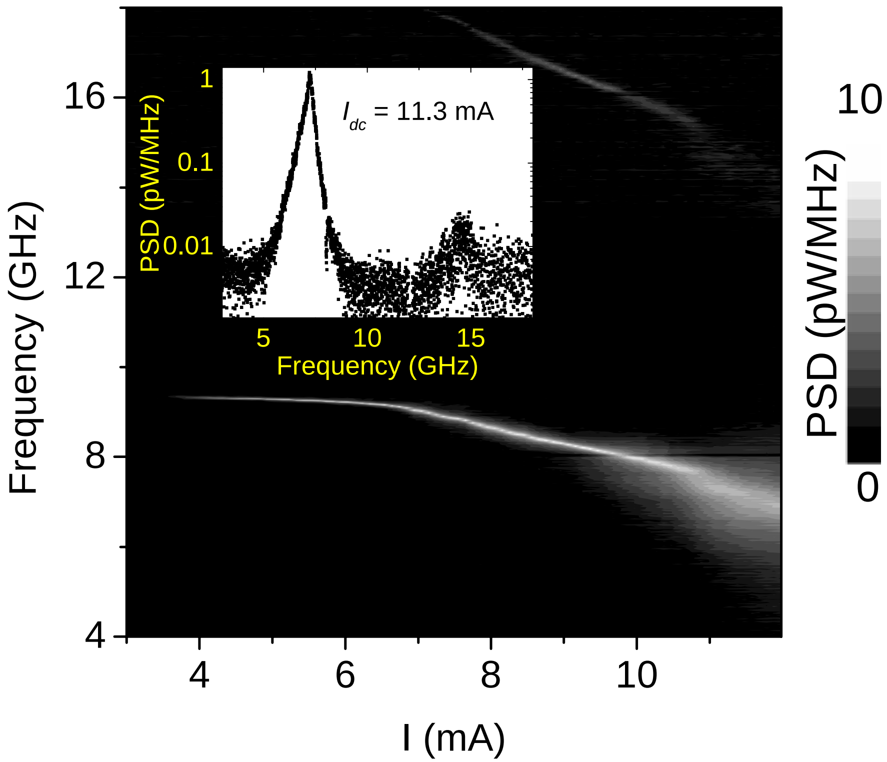


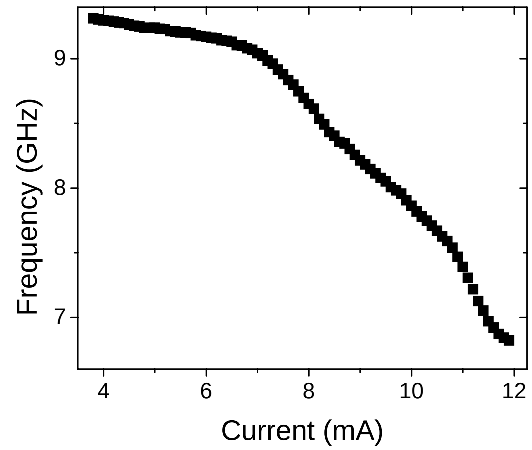
Torque (eVb)
0.008
0.006
0.004
0.002
0.000
-0.002
-0.004
-0.006
-0.008
(b)
Co
Cu
Ni
Cu

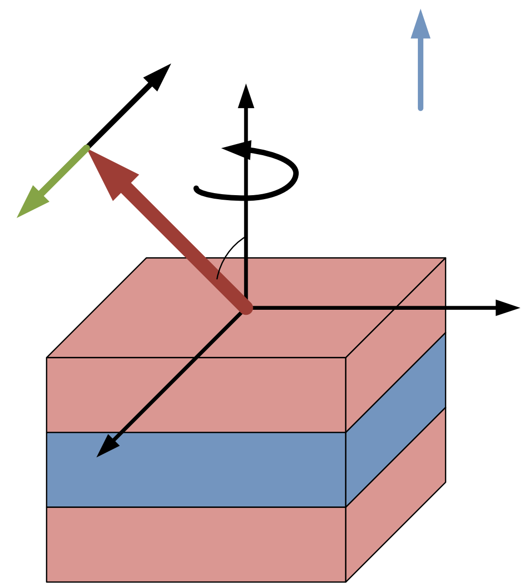
substrate|Ta(3)|Cu(15)|$Co_{90}Fe_{10}$(20)

|Cu(4.5)|[Co(0.2)|Ni(0.4)]^{x5}|Co(0.3)|Cu(3)|Ta(3)

$$f = \frac{\gamma \mu_0}{2\pi}(H + (H_k - M_s)\cos(\theta))$$



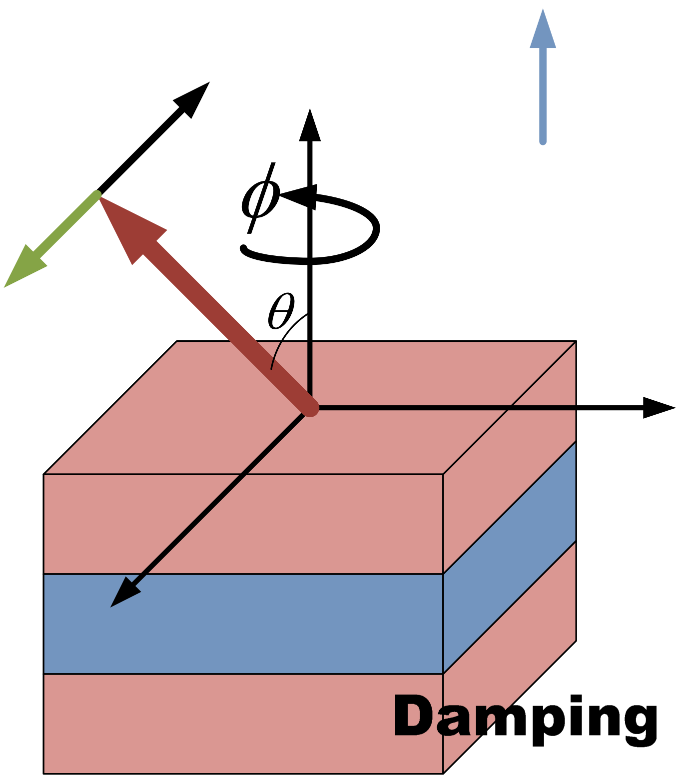




Two-dimensional plot showing the device oscillation frequency and output power as a function of I_{dc}

Rippard (2009)

Spin transfter nanocontact oscillator devices(STNO)



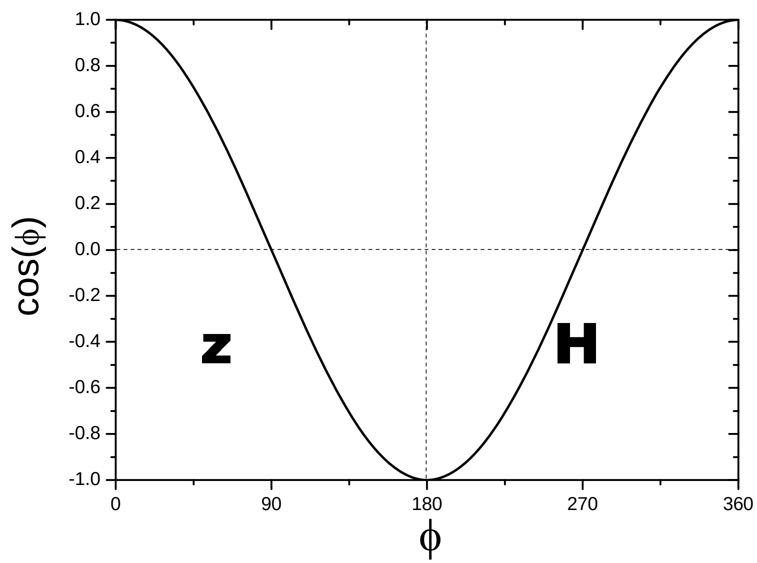
M

LLG equation

$$\frac{d\hat{m}}{dt} = -\hat{m}\times\vec{H} + \alpha\hat{m}\times\frac{d\hat{m}}{dt} + a(\phi)\hat{m}\times(\hat{m}\times\hat{s})$$

Energy

$$[a(\phi)\hat{m}\times(\hat{m}\times\hat{s})]\cdot\hat{H} = a(\phi)\cos\phi\cos\theta\sin\theta$$



G factor

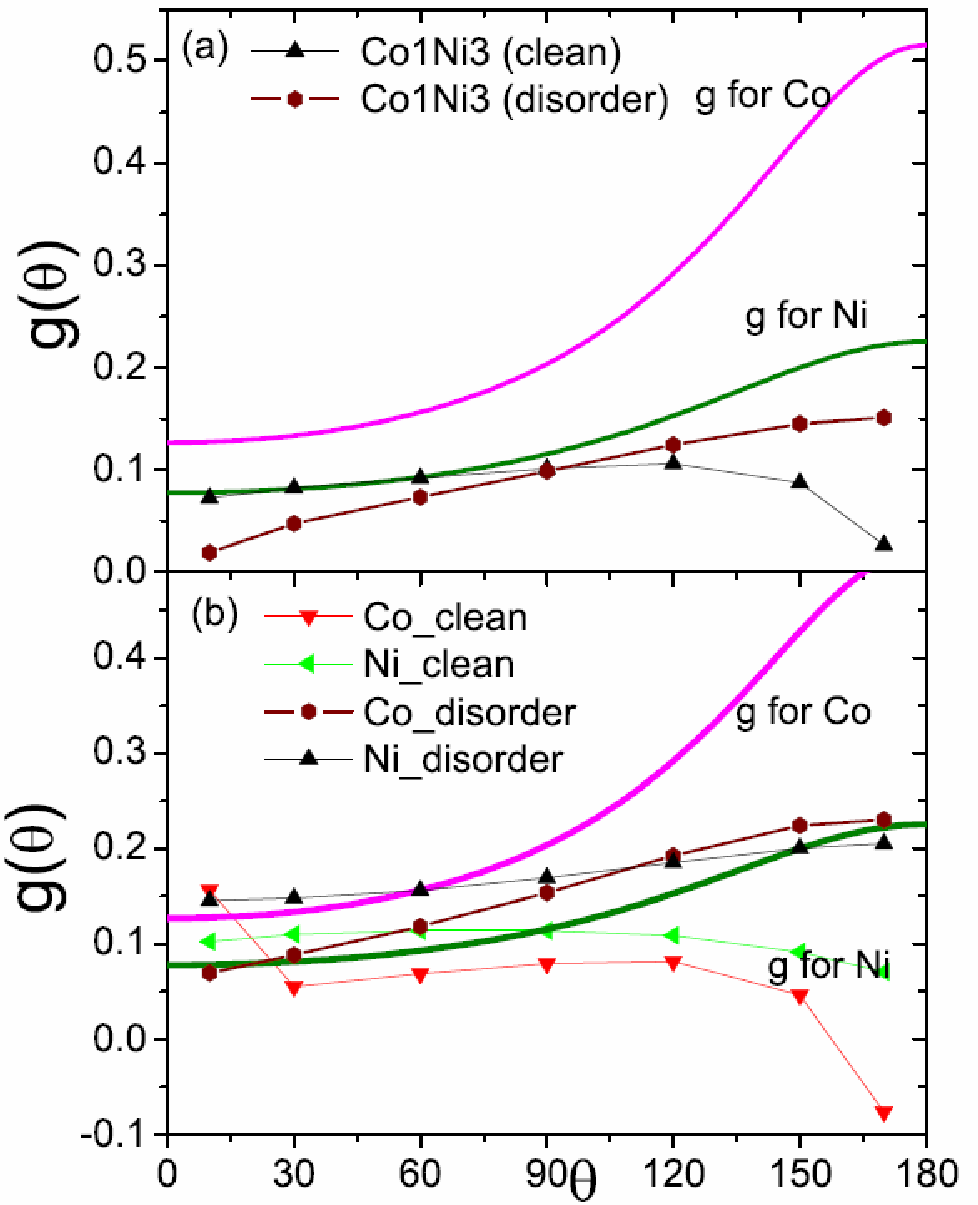
g factor [1]

$$g = \left[-4 + \frac{(1+P)^3 (3 + \hat{s}_1 \cdot \hat{s}_2)}{4P^{3/2}} \right]^{-1}$$

Here Co P=0.35 Ni P=0.23

$$\mathbf{g}(\theta) = \frac{\text{torque}(\theta)}{\mathbf{I}(\theta)\sin(\theta)}$$

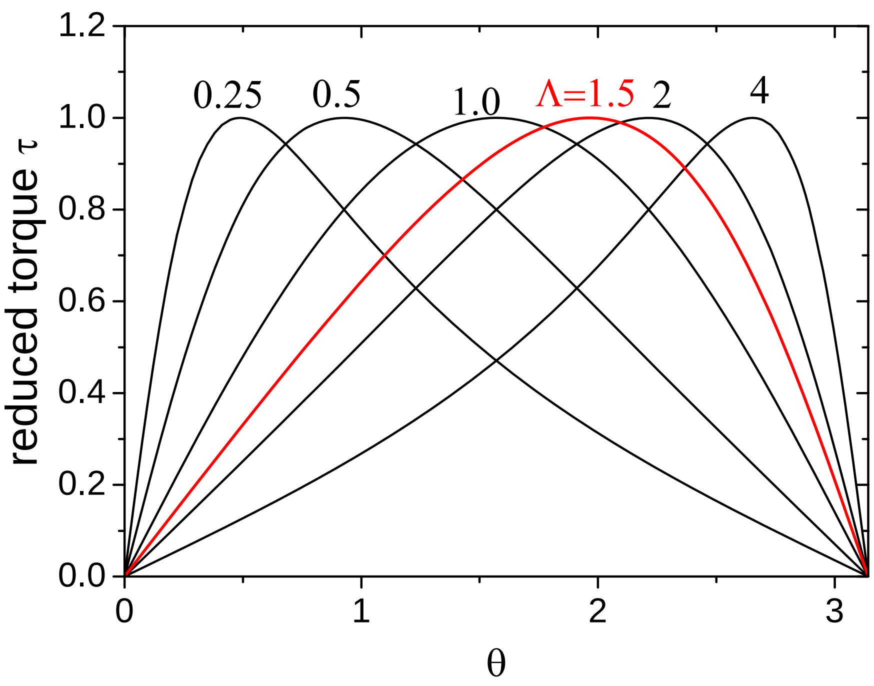
G factor can be enhanced by disorder effect.



J.C.Slonczewski (1996)

Reduced torque

$$\Lambda = 1.5$$



Torques

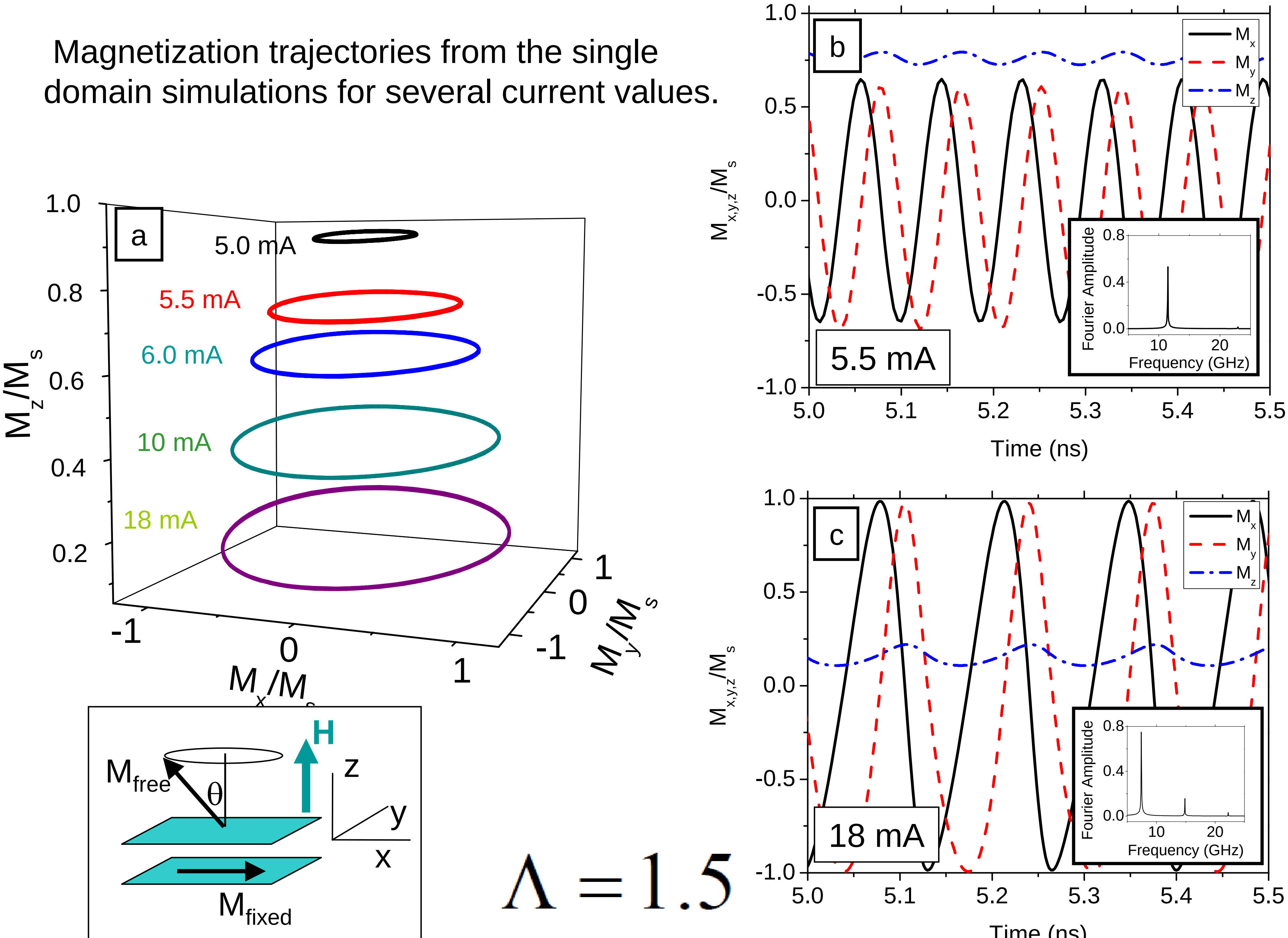
$$L = \hbar I P_{\mathrm{r}} \Lambda \tau(\theta)/4Ae$$

Reduced torques

$$\tau(\theta) = \frac{\sin\theta}{\Lambda\cos^2(\theta/2) + \Lambda^{-1}\sin^2(\theta/2)}$$

J.C. Slonczewski (2002)

Magnetization trajectories from the single domain simulations for several current values.

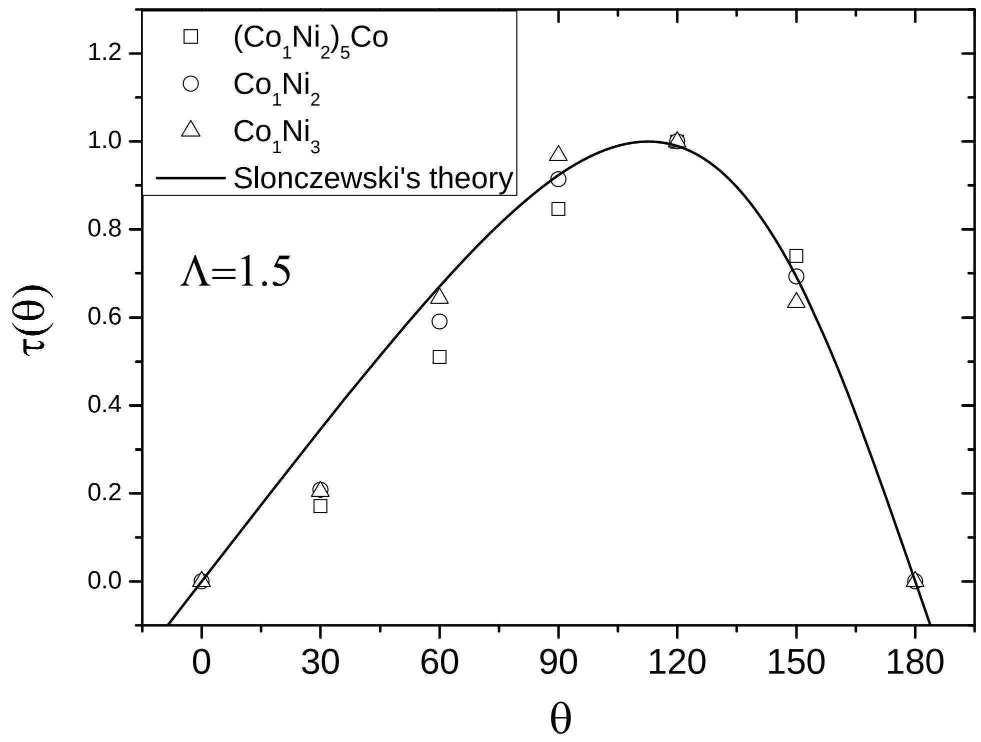


$$\Lambda = 1.5$$

Cu/Co/Cu/$(Co_1Ni_2)_5$Co/Cu

Reduced torque

$$\tau(\theta) = \frac{t(\theta)/I(\theta)}{(t/I)_{max}}$$



Experiment $\Lambda = 1.5$

Gilbert Damping In the Presence of Andreev Reflection

Spin Current Induced Dynamics

$$\dot{\vec{m}} = \gamma_0 \vec{H}_{eff} \times \vec{m} + \alpha_0 \dot{\vec{m}} \times \vec{m} + \left. \frac{\partial \vec{m}}{\partial t} \right|_{torque}$$

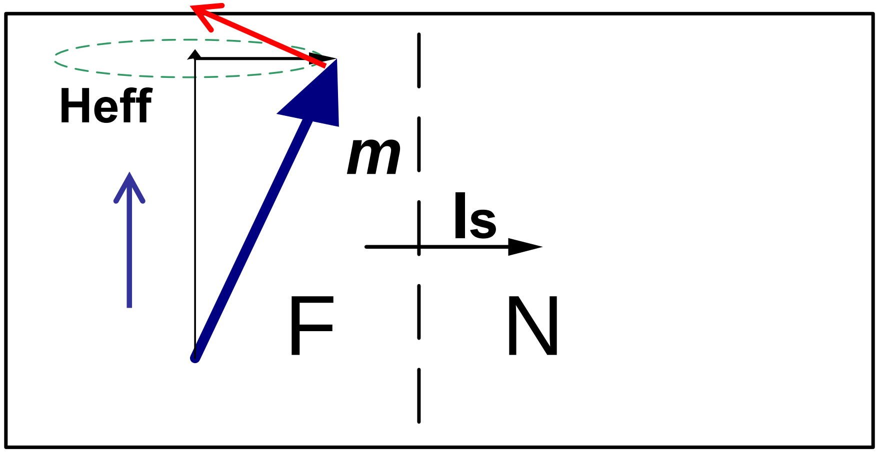
Precession **Damping**

Spin Transfer Torque from current Is

$$\mathbf{I}_s = \frac{\hbar}{4\pi}\left(\mathrm{Re}\, A^{\uparrow\downarrow}_{\mathrm{eff}} \mathbf{m} \times \frac{d\mathbf{m}}{dt} + \mathrm{Im}\, A^{\uparrow\downarrow}_{\mathrm{eff}} \frac{d\mathbf{m}}{dt}\right)$$

$A^{\uparrow\downarrow}_{eff}$ Mixing Conductance of F/N interface

Ferromagnet/Normal Metal



Tserkovnyak,Y. *et al* *Phys. Rev. B* **66**, 224403 (2002)

Spin Dependent Scattering Matrix

$$\hat{S} = S^{\uparrow} u^{\uparrow} + S^{\downarrow} u^{\downarrow} \qquad u^{\uparrow/\downarrow} = \frac{1}{2}(\hat{I}_0 \pm \hat{\sigma} \cdot \vec{m})$$

$$\hat{S} = \frac{S^{\uparrow} + S^{\downarrow}}{2} \hat{I}_0 + \frac{S^{\uparrow} - S^{\downarrow}}{2} \hat{\sigma} \cdot \vec{m}$$

$$\frac{\partial \hat{S}}{\partial X} = S^{\uparrow} \frac{\partial u^{\uparrow}}{\partial X} + S^{\downarrow} \frac{\partial u^{\downarrow}}{\partial X} = (S^{\uparrow} - S^{\downarrow}) \hat{\sigma} \cdot \frac{\partial \vec{m}}{\partial X}$$

EMISSIVITY

$$\frac{d\hat{n}_l}{dX} = \left(\frac{1}{4\pi i} \sum_{nn'l'} \frac{\partial \hat{s}_{nn',ll'}}{\partial X} \hat{s}^{\dagger}_{nn',ll'} \right) + \text{H.c.}$$

Tserkovnyak,Y. *et al Phys. Rev. Lett, 88,117601(2002)* *Buttiker et al. (1994)*

F/N Spin Pump

$$\text{Current } \hat{I}_{F/N} = e\frac{\partial \hat{N}_{F/N}}{\partial X}\frac{\partial X}{\partial t} = \frac{1}{2} I_C \cdot \hat{i}_0 - \frac{e}{\hbar}\hat{\sigma}\cdot\hat{I}^S_{F/N}$$

$$\text{Precession induced current } \hat{I}^S_{F/N} = \frac{\hbar}{4\pi}\left(\operatorname{Re} A^{\uparrow\downarrow}\vec{m}\times\frac{\partial\vec{m}}{\partial t} + \operatorname{Im} A^{\uparrow\downarrow}\frac{\partial\vec{m}}{\partial t}\right),$$

$$\mathrm{I}_C = 0.$$

Mixing Conductance (One Interface)

$$A^{\uparrow\downarrow} = \sum_{nm} Tr(\delta_{mn} - r_m^{\uparrow} r_n^{\downarrow\dagger})$$

LLG equation in the presence of spin current pump

$$\frac{\partial\vec{m}}{\partial t} = \gamma_0 \vec{H}_{eff}\times\vec{m} + \alpha_0\frac{\partial\vec{m}}{\partial t}\times\vec{m} + \frac{\gamma\hbar}{4\pi M_S V}\left(A_r^{\uparrow\downarrow}\vec{m}\times\frac{\partial\vec{m}}{\partial t} + A_i^{\uparrow\downarrow}\frac{\partial\vec{m}}{\partial t}\right)$$

Effective Damping Enhancement

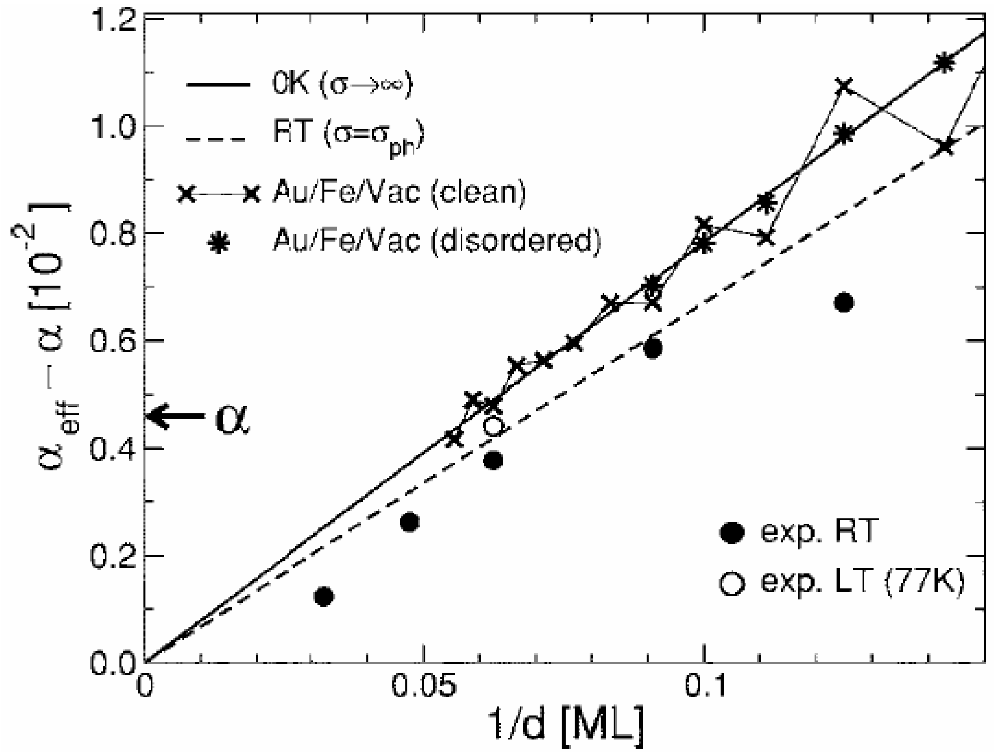
$$\frac{\partial}{\partial t}\overrightarrow{m} = -\gamma_{eff}\overrightarrow{m} \times \overrightarrow{H_{eff}} + \alpha_{eff}\overrightarrow{m} \times \frac{\partial}{\partial t}\overrightarrow{m}$$

$$\frac{\gamma}{\gamma_{eff}} = 1 - \frac{\gamma\hbar}{4\pi M_s V} A_i^{\uparrow\downarrow}$$

$$\alpha_{eff} = \frac{\alpha + \frac{\gamma\hbar}{4\pi M_s V} A_r^{\uparrow\downarrow}}{1 - \frac{\gamma\hbar}{4\pi M_s V} A_i^{\uparrow\downarrow}}$$

Tserkovnyak,Y. *et al*

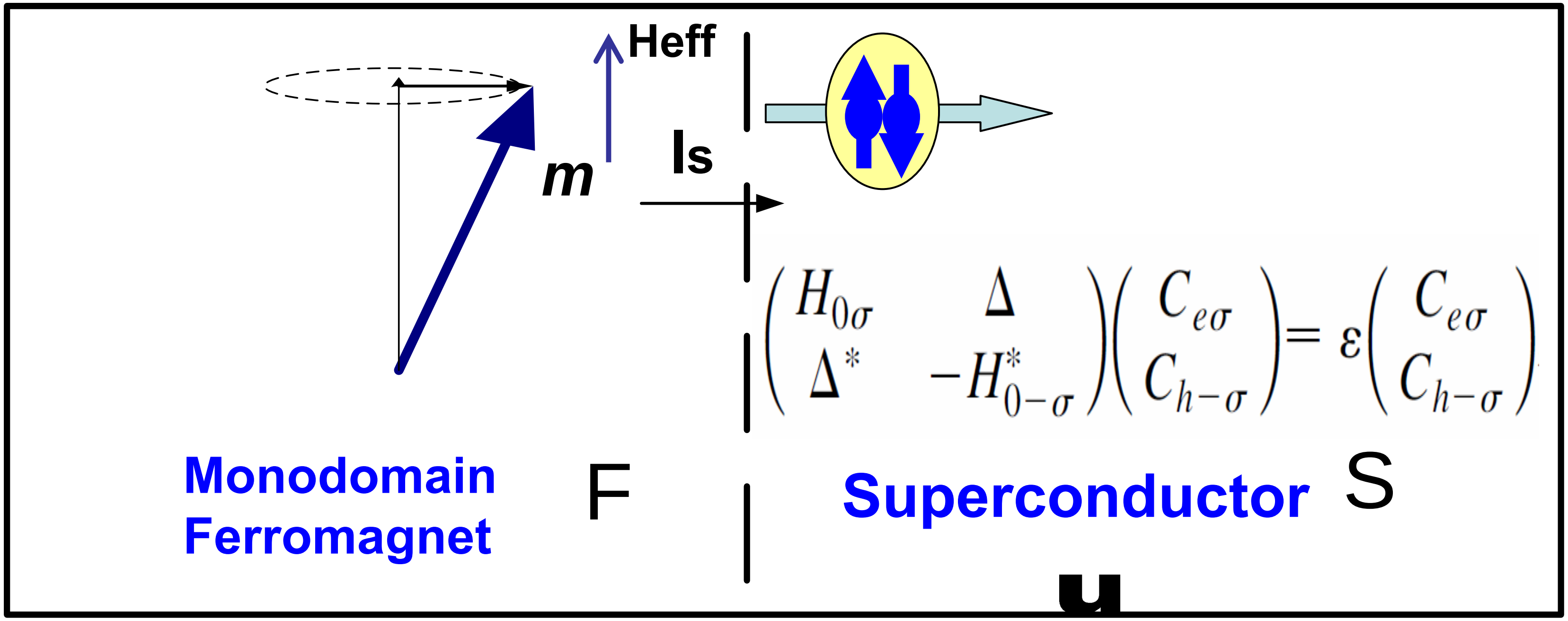
Rev. Mod. Phys. ,77 ,4(2005)



Urban. R *et al Phys. Rev. Lett. 87, 217204*(2001)

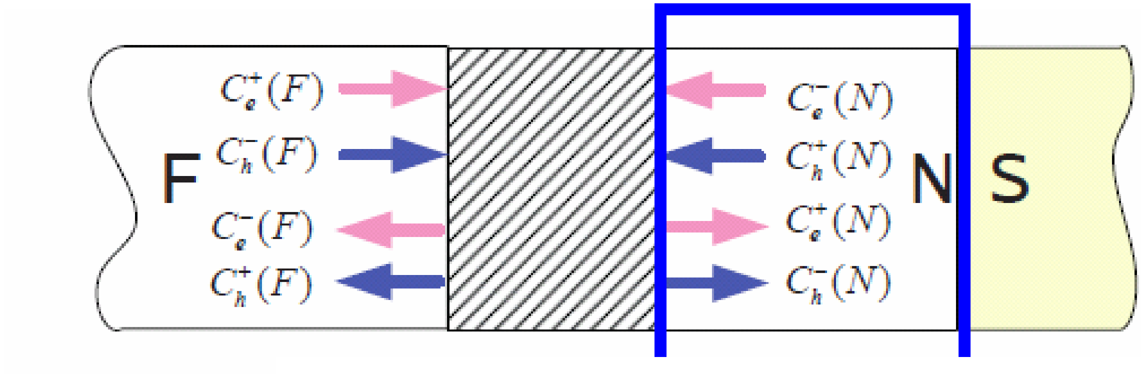
Heinrich, B. *et al, J. Appl. Phys. 93,7545(2003)*

Spin Pump at F/S Contacts



$$\begin{pmatrix} H_{0\sigma} & \Delta \\ \Delta^* & -H^*_{0-\sigma} \end{pmatrix} \begin{pmatrix} C_{e\sigma} \\ C_{h-\sigma} \end{pmatrix} = \varepsilon \begin{pmatrix} C_{e\sigma} \\ C_{h-\sigma} \end{pmatrix}$$

F/N/S Interface Approach



At N|S interface we consider there is only Andreev reflection.

At F/N Interface

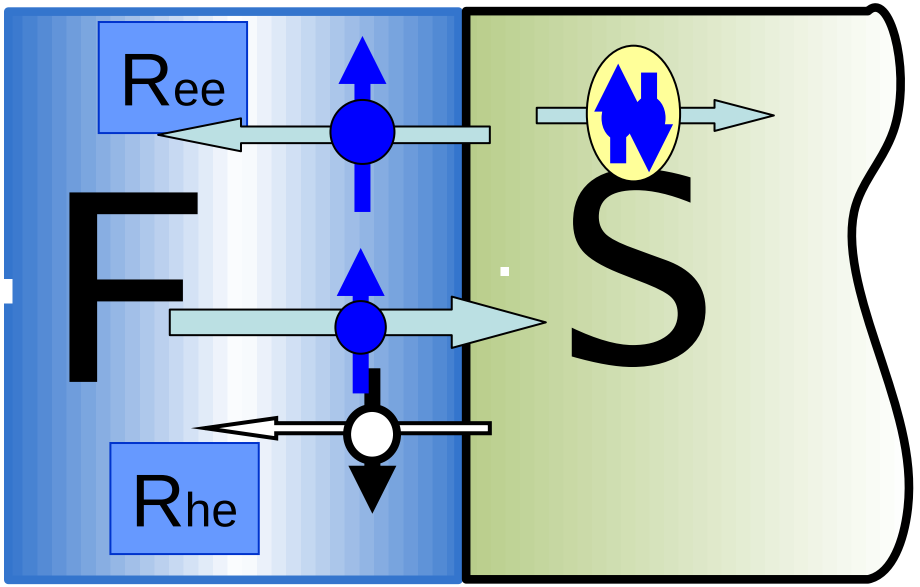
$$\begin{pmatrix} c_e^-(F) \\ c_e^+(N) \\ c_h^+(F) \\ c_h^-(N) \end{pmatrix} = \begin{pmatrix} r_{11}^e & t_{12}^e & 0 & 0 \\ t_{21}^e & r_{22}^e & 0 & 0 \\ 0 & 0 & r_{11}^h & t_{12}^h \\ 0 & 0 & t_{21}^h & r_{22}^h \end{pmatrix} \begin{pmatrix} c_e^+(F) \\ c_e^-(N) \\ c_h^-(F) \\ c_h^+(N) \end{pmatrix}$$

We are interested in wave functions in the *F layer*

C.W.J. Beenakker, Rev. Mod. Phys. 69, 731 (1997).
K. Xia *et al*., PRL89, 166603(2002)

Spin Current in the Presence of Andreev Reflection

Linear Response & Circuit Theory



$$I(t)=\frac{dQ(t)}{dt}=q\frac{dN(t)}{dX}\frac{dX}{dt}$$

$$=\left(e\frac{dn_e}{dX}+(-e)\frac{dn_h}{dX}\right)\frac{dX}{dt}$$

$$=e\frac{dX}{dt}\left(Tr(\hat{R}^{ee\dagger}\frac{\partial\hat{R}^{ee}}{\partial X}-\frac{\partial\hat{R}^{ee\dagger}}{\partial X}\hat{R}^{ee})-Tr(\hat{R}^{he\dagger}\frac{\partial\hat{R}^{he}}{\partial X}-\frac{\partial\hat{R}^{he\dagger}}{\partial X}\hat{R}^{he})\right)$$

For Precession Induced Pumping
X (t)= ϕ (t) the precession angle

Spin current and Damping

$$\text{Current } \hat{I}_{F/S} = \frac{1}{2} I_C \cdot \hat{i}_0 - \frac{e}{\hbar} \hat{\sigma} \cdot \hat{I}^S_{F/S} \quad \mathrm{I}_C = 0,$$

$$\hat{I}^S_{F/S} = \frac{\hbar}{4\pi} \int d\varepsilon \left(-\frac{\partial f}{\partial \varepsilon}\right) \left(\mathrm{Re}\, G^{\uparrow\downarrow}(\varepsilon) \vec{m} \times \frac{\partial \vec{m}}{\partial t} + \mathrm{Im}\, G^{\uparrow\downarrow}(\varepsilon) \frac{\partial \vec{m}}{\partial t} \right)$$

Effective Damping

$$\alpha_{eff} = \frac{\alpha_0 + \dfrac{\gamma \hbar}{4\pi M_s V} \int d\varepsilon \left(-\dfrac{\partial f}{\partial \varepsilon}\right) \; \mathrm{Re}\, G_{F/S}{}^{\uparrow\downarrow}(\varepsilon)}{\gamma_0 - \dfrac{\gamma \hbar}{4\pi M_s V} \int d\varepsilon \left(-\dfrac{\partial f}{\partial \varepsilon}\right) \; \mathrm{Im}\, G_{F/S}{}^{\uparrow\downarrow}(\varepsilon)}$$

Mixing Conductance and Andreev Reflection

$$G^{\uparrow\downarrow}(\varepsilon) \equiv \left(N_{Sharvin} - \left| R_{he}^{\uparrow\uparrow}(\varepsilon) \right|^2 - \left| R_{he}^{\uparrow\downarrow}(\varepsilon) \right|^2 - \left| R_{he}^{\downarrow\uparrow}(\varepsilon) \right|^2 - \left| R_{he}^{\downarrow\downarrow}(\varepsilon) \right|^2 \right) - R_{ee}^{\uparrow\uparrow}(\varepsilon) R_{ee}^{\downarrow\downarrow\dagger}(\varepsilon)$$

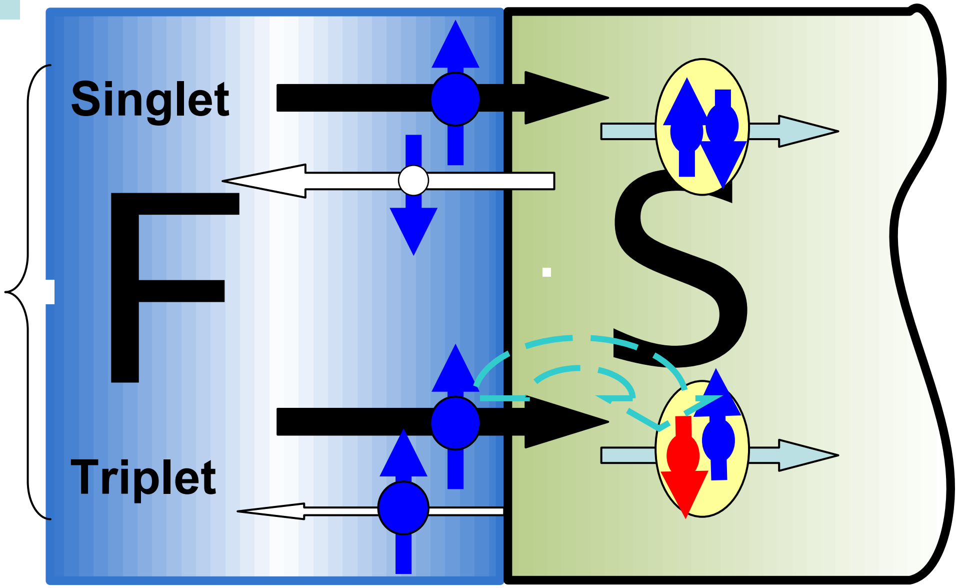
Normal Reflection

$$+ R_{he}^{\downarrow\uparrow}(\varepsilon) R_{he}^{\uparrow\downarrow\dagger}(\varepsilon) + R_{he}^{\uparrow\uparrow}(\varepsilon) R_{he}^{\downarrow\downarrow\dagger}(\varepsilon)$$

Singlet

Triplet

Rhe

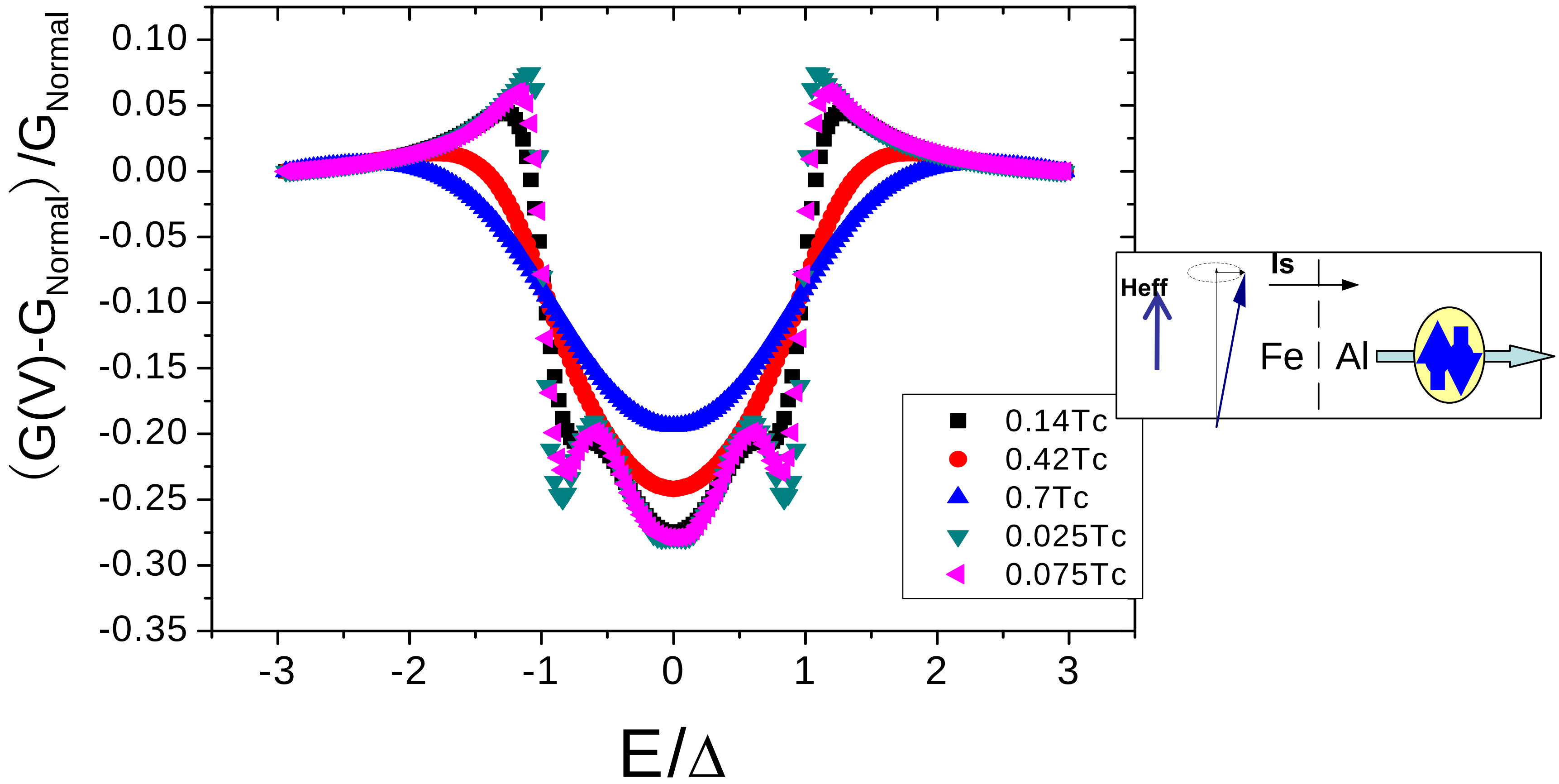


Andreev Reflection

Charge Conductance Spectrum

$$G(\varepsilon) = N_{Sharvin} - \left|R_{ee}^{\uparrow\uparrow}(\varepsilon)\right|^2 - \left|R_{ee}^{\downarrow\downarrow}(\varepsilon)\right|^2 + \left|R_{he}^{\downarrow\downarrow}(\varepsilon)\right|^2 + \left|R_{he}^{\uparrow\uparrow}(\varepsilon)\right|^2 + \left|R_{he}^{\uparrow\downarrow}(\varepsilon)\right|^2 + \left|R_{he}^{\downarrow\uparrow}(\varepsilon)\right|^2$$

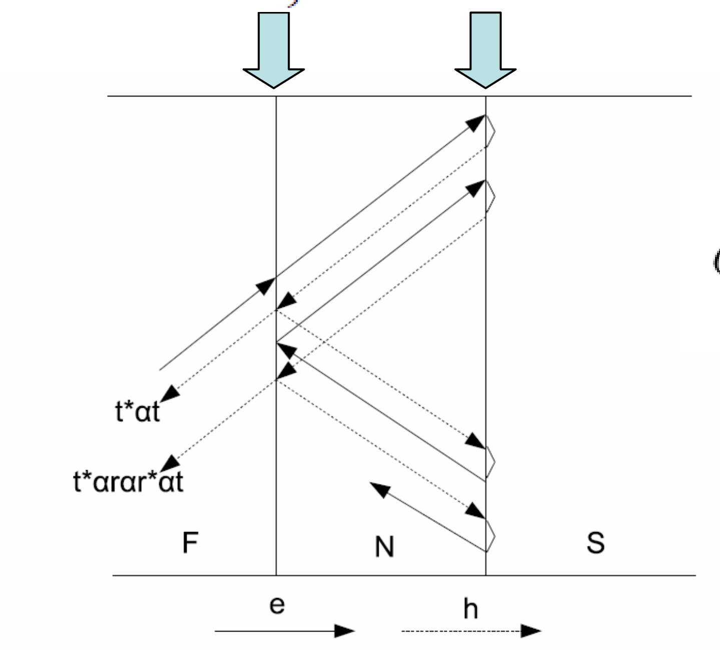
Normal Reflection **Triplet** **Singlet**



多重散射公式

$$r'_{\uparrow(\downarrow)} = |r'_{\uparrow(\downarrow)}| e^{i\phi_\uparrow(\phi_\downarrow)}$$

$$\hat{t},\hat{r} \quad \alpha = e^{-i\arccos(\varepsilon/\Delta_0)}$$



$$G_0 = \frac{2e^2}{h}|t_\uparrow|^2|t_\downarrow|^2, \quad R^2 = |r'_\uparrow||r'_\downarrow|$$

类比多光束干涉公式[1]

$$r_{he} = t^* \alpha t + t^* \alpha r \alpha r^* \alpha t + t^* \alpha [r \alpha r^* \alpha]^2 t + \cdots$$

$$= t^* \alpha [1 - r \alpha r^* \alpha]^{-1} t$$

考虑自旋极化界面

$$G_{FS}(\varepsilon) = \frac{G_0}{1 + R^4 - 2R^2 \cos\left(-2\arccos\frac{\varepsilon}{\Delta_0} + \phi_\uparrow - \phi_\downarrow\right)}$$

$\varepsilon/\Delta_0 = \cos\frac{\phi_\uparrow - \phi_\downarrow}{2}$

出现电导峰

考虑F/N界面无序

$$\langle G_{FS}(\varepsilon)\rangle = \frac{G_0}{\left|\frac{1}{2\varphi}\int_{-\varphi}^{\varphi}\left(1 - R^2 e^{-i2\arccos\frac{\varepsilon}{\Delta_0}} e^{i\delta}\right) d\delta\right|^2}$$

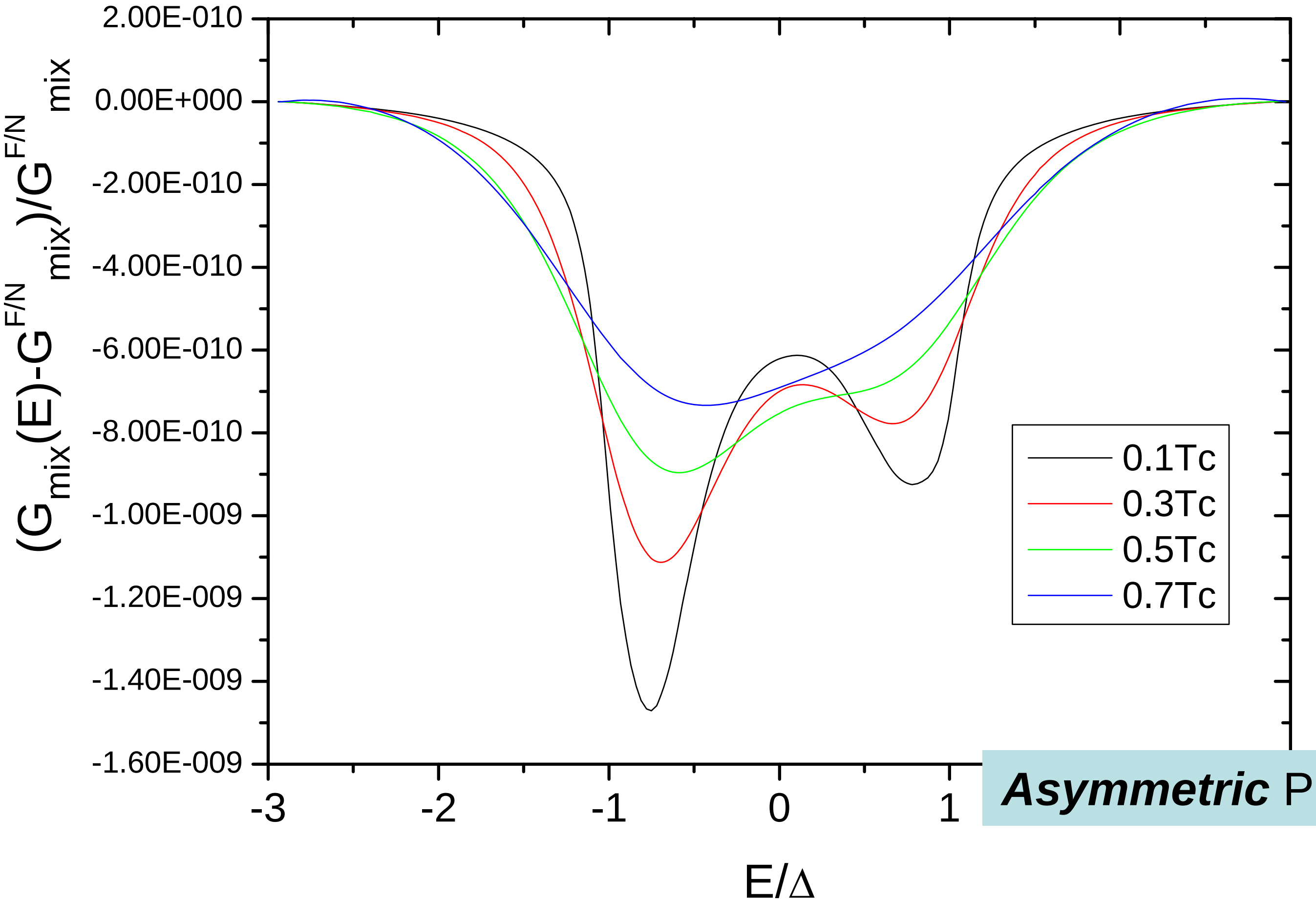
无电导峰结构

其中 $\delta = \phi_\uparrow - \phi_\downarrow$ 为随机数

[1] C.W.J. Beenakker, Quantum Mesoscopic Phenomena and Mesoscopic Devices in Microelectronics, edited by I.O. Kulik and R. Ellialtioglu, pp. 51-60, (NATO Science Series, Dordrecht, 2000)

Mixing Conductance Spectrum

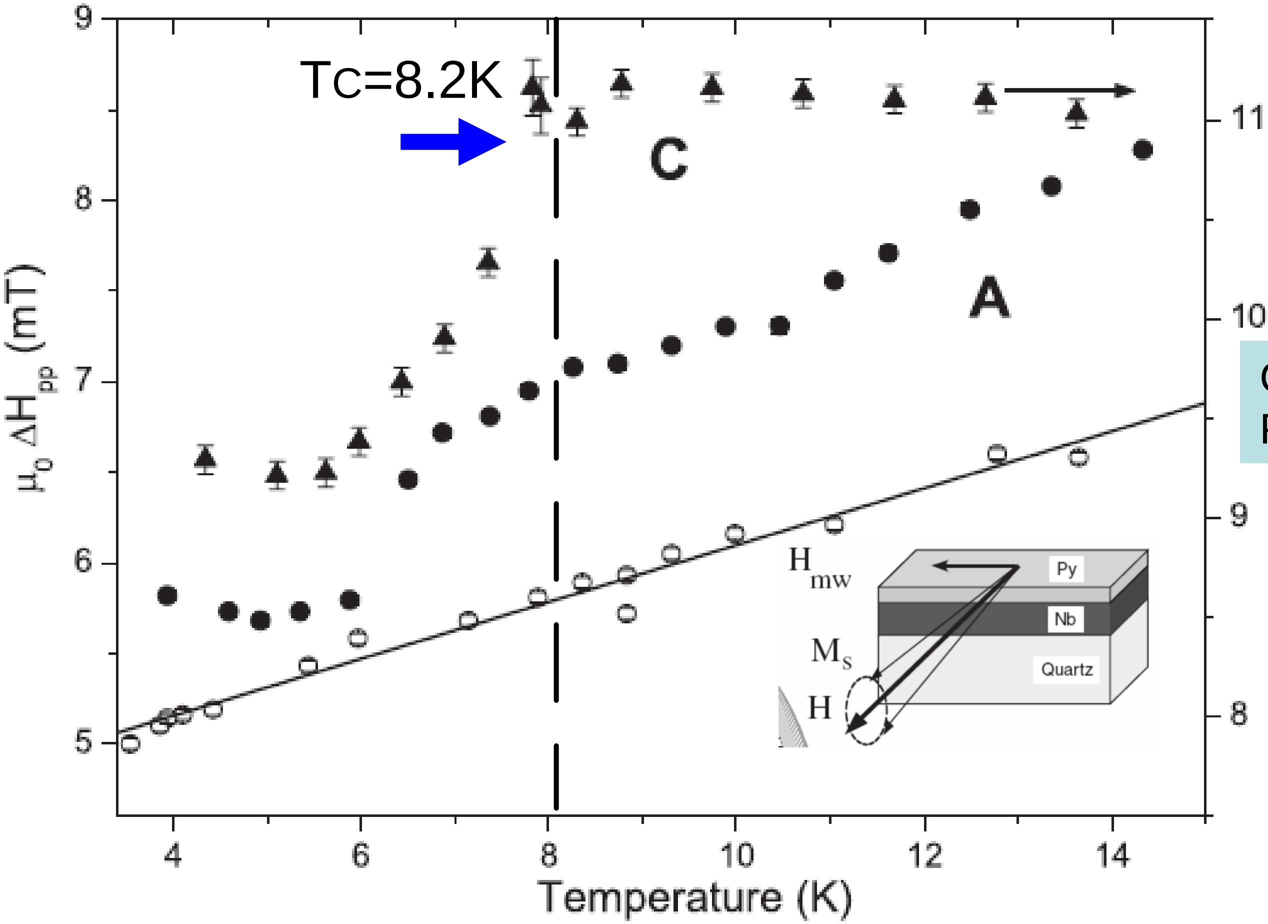
$$G^{\uparrow\downarrow} = G_{ee}^{\uparrow\downarrow} + G_{he}^{\uparrow\downarrow \text{singlet}} + G_{he}^{\uparrow\downarrow \text{triplet}}$$



Asymmetric Peaks below the gap

Temperature Dependence of Gilbert Damping Enhancement

Experiment: FMR linewidth



Sample A,C
Superconductor

Sample B

Non-superconductor

C. Bell J. Aarts *et al*
Phys.Rev.Lett.100,047002(2008)

Temperature Dependence of Gilbert Damping Enhancement

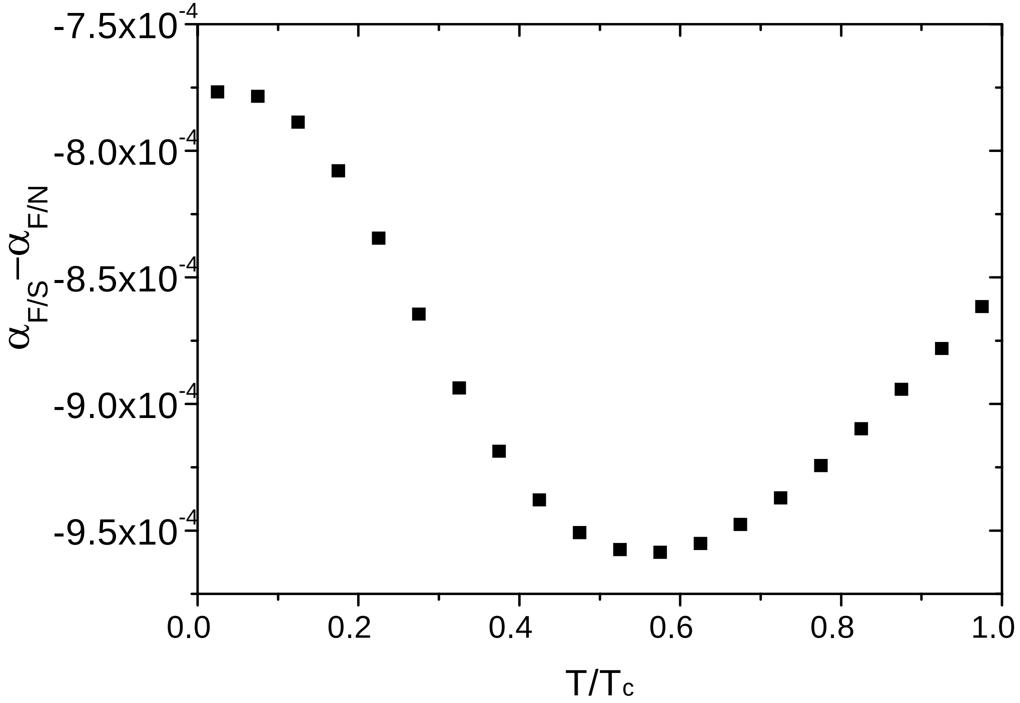
T→ Tc, Δ (T) →0, $R_{he} \to 0$, $\delta\alpha_{F/S}(T)$ reduces to

$$\delta\alpha_{F/N} = N_{Sharvin} - Tr\left(R_{ee}^{\uparrow\uparrow} R_{ee}^{\downarrow\downarrow\dagger}\right)$$

$$\delta\alpha(T) = \alpha_{eff} - \alpha_0 \approx \frac{\gamma\hbar}{4\pi M_S V}\int d\varepsilon\left(-\frac{\partial f}{\partial \varepsilon}\right) \operatorname{Re} G^{\uparrow\downarrow}(\varepsilon),$$

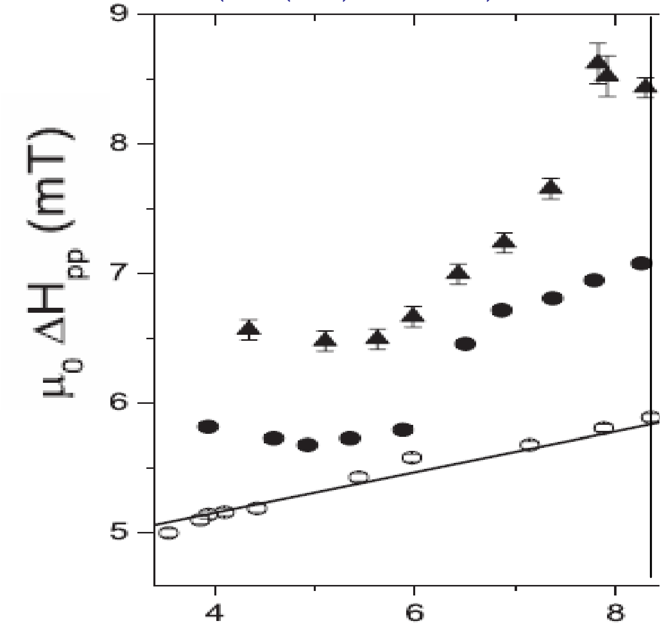
For $\mu_{Fe}=2.2\mu_B$

(Thickness of F layer is 10ML)



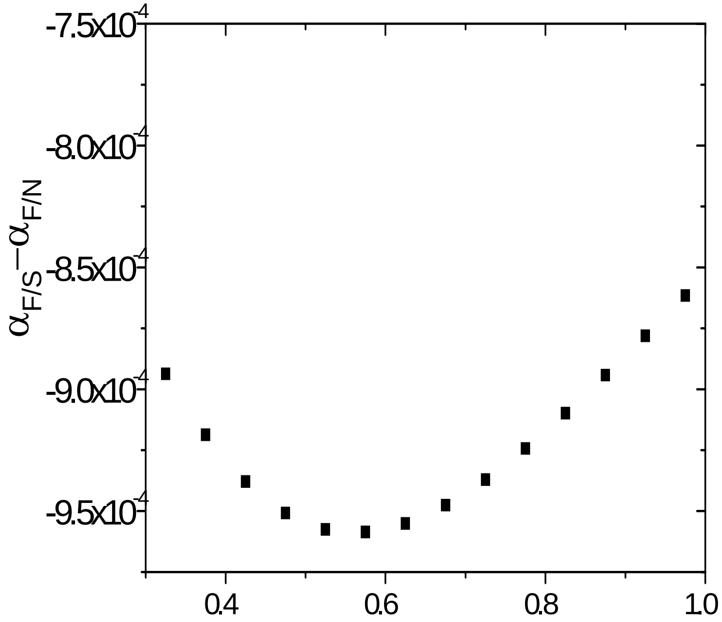
Temperature Dependence of Gilbert Damping Enhancement

FMR Experiment
(Tc(Nb)=8.2K)



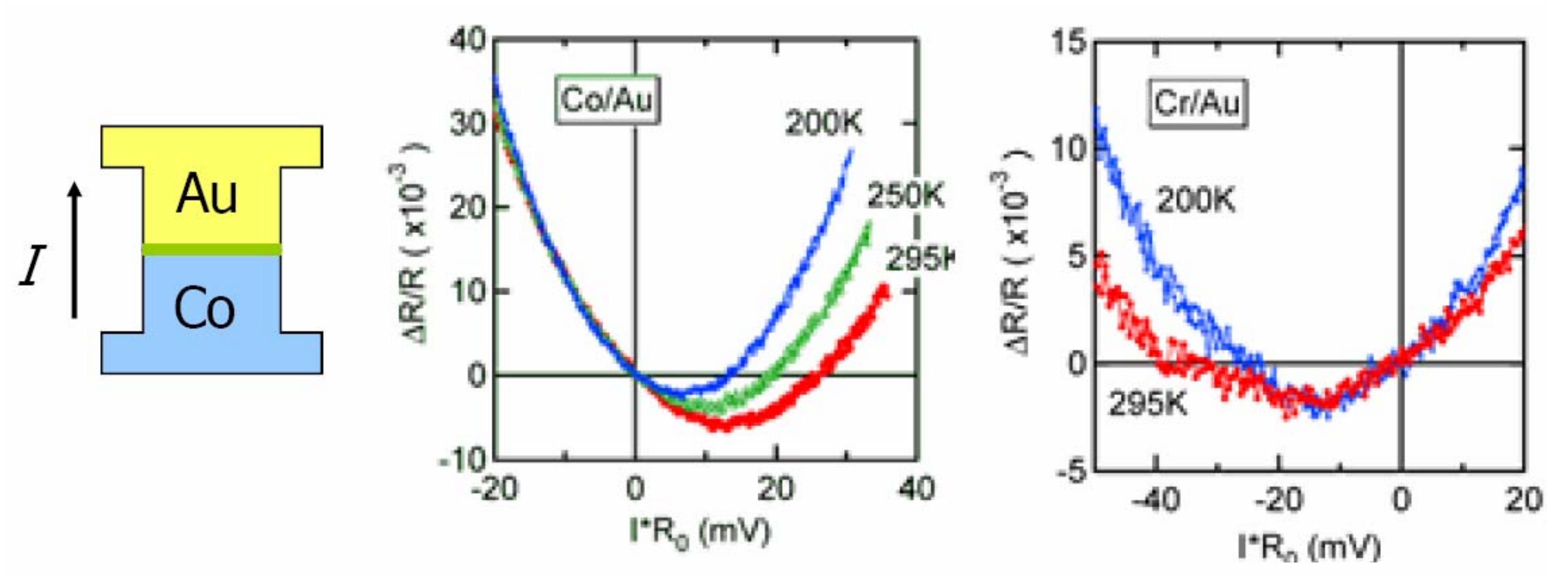
T/K

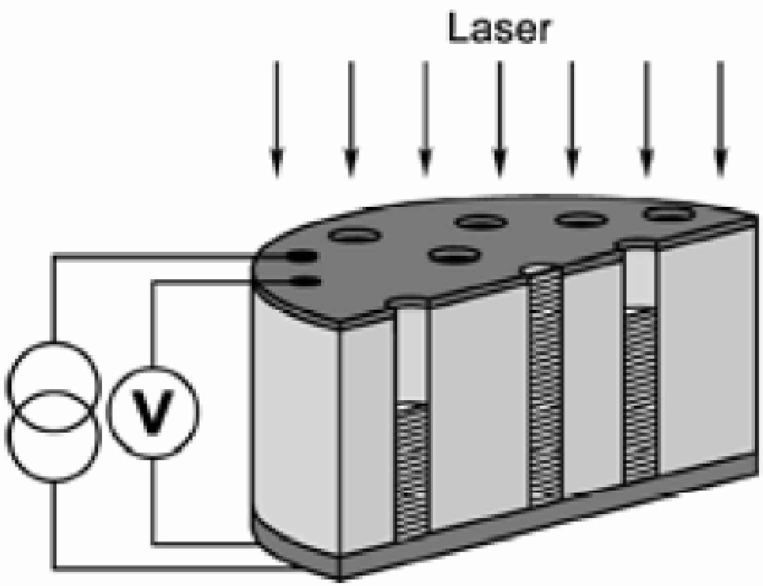
Calculated Δα
(Tc(Al)=1.14K)



When Normal metal in F/N interface becomes superconducting, spin pump induced damping decreases, i.e. Δα <0

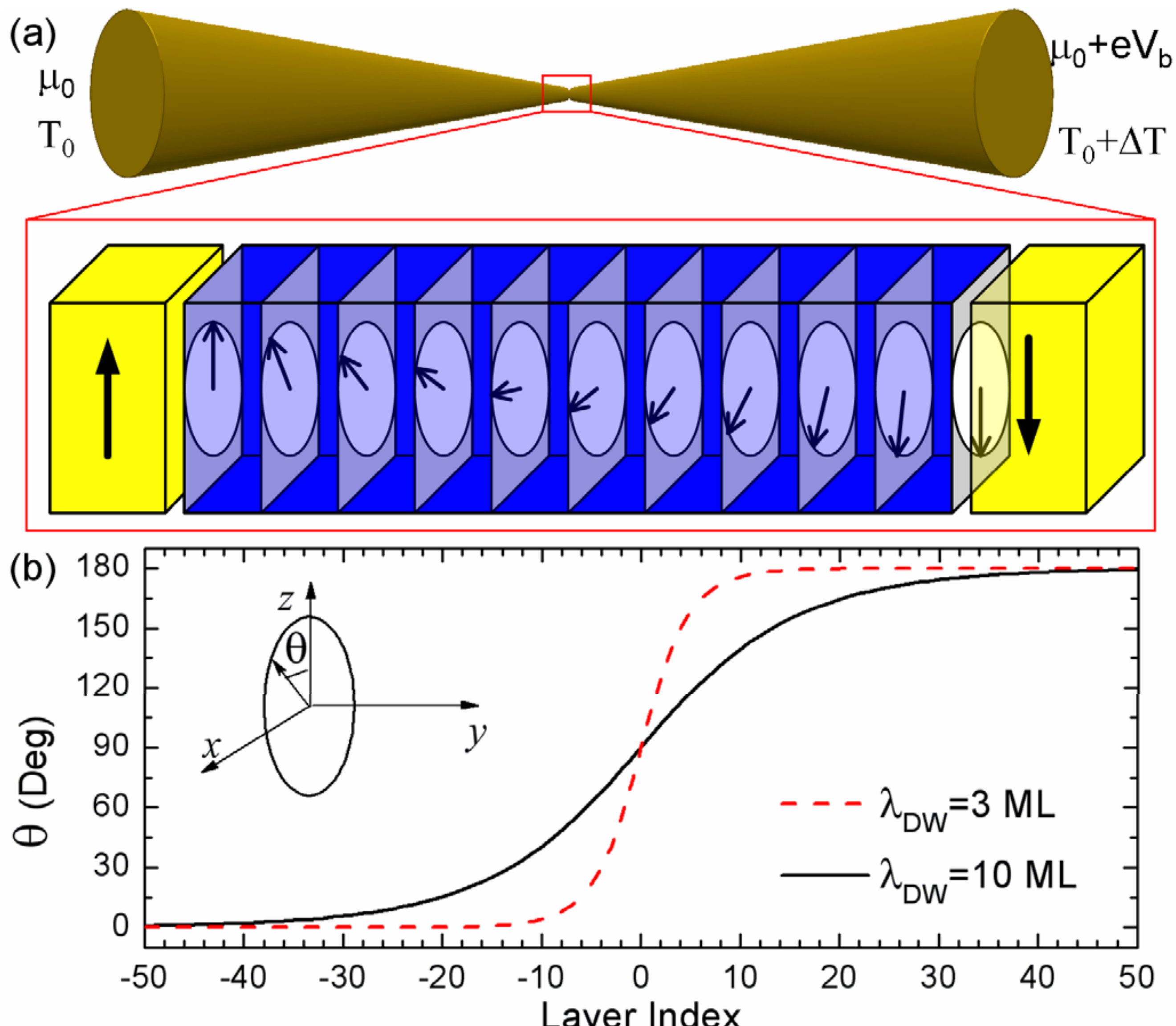
Metallic nanopillars (Fukushima et al., 2005)





L. Gravier et al. (2005).

Model

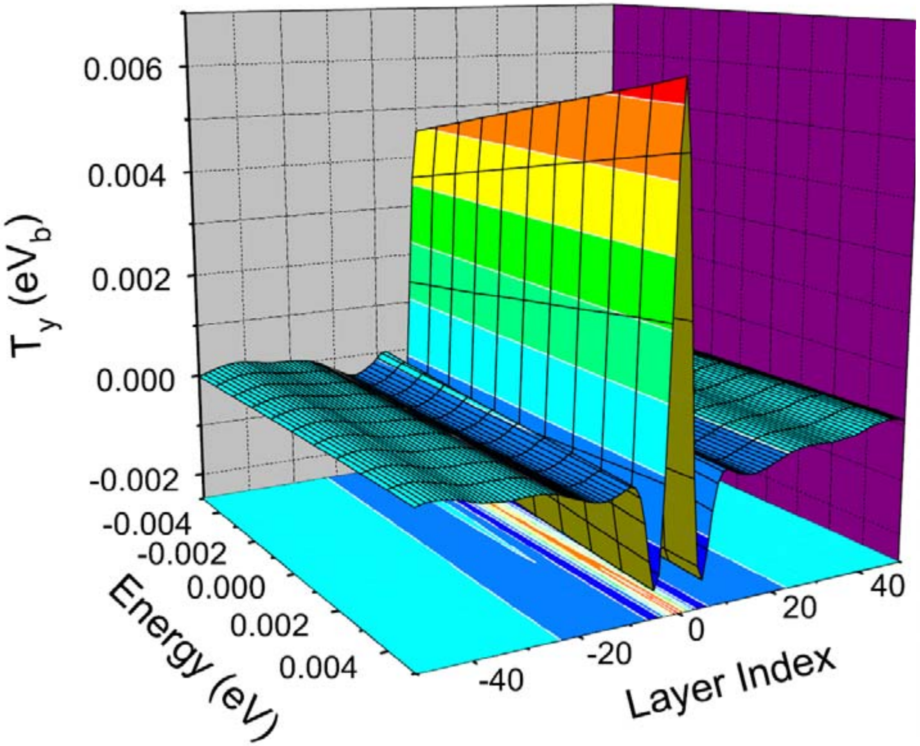


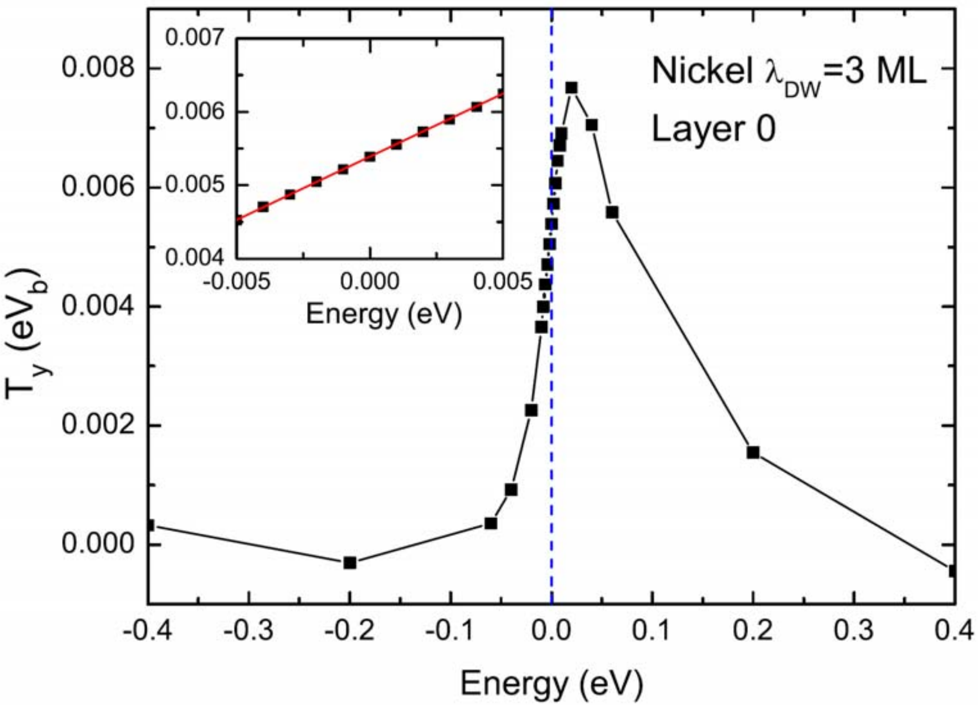
(a)
μ_0
T_0
μ_0+eV_b
$T_0+\Delta T$
(b)
180
150
120
90
60
30
0
θ (Deg)
z
θ
x
y
λ_{DW}=3 ML
λ_{DW}=10 ML
-50
-40
-30
-20
-10
0
10
20
30
40
50
Layer Index

First-principles spin-transfer torque

$$\hat{\mathcal{J}} \equiv \frac{1}{2}\left[\hat{\sigma} \otimes \hat{\mathbf{V}} + \hat{\mathbf{V}} \otimes \hat{\sigma}\right]$$

$$\mathbf{T}_{\mathbf{R}}(\mathbf{k}_{\parallel}, \epsilon) = \sum_{\mathbf{R}' \in I-1, I} \mathcal{J}_{\mathbf{R}', \mathbf{R}}(\mathbf{k}_{\parallel}, \epsilon) - \sum_{\mathbf{R}' \in I, I+1} \mathcal{J}_{\mathbf{R}, \mathbf{R}'}(\mathbf{k}_{\parallel}, \epsilon)$$

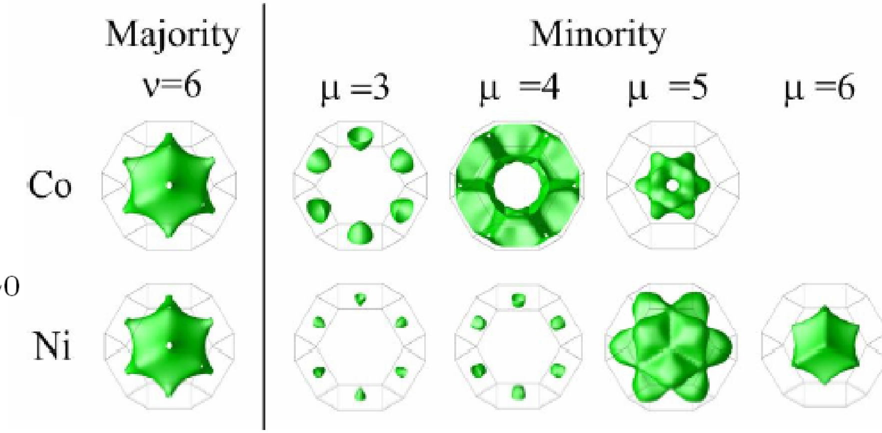


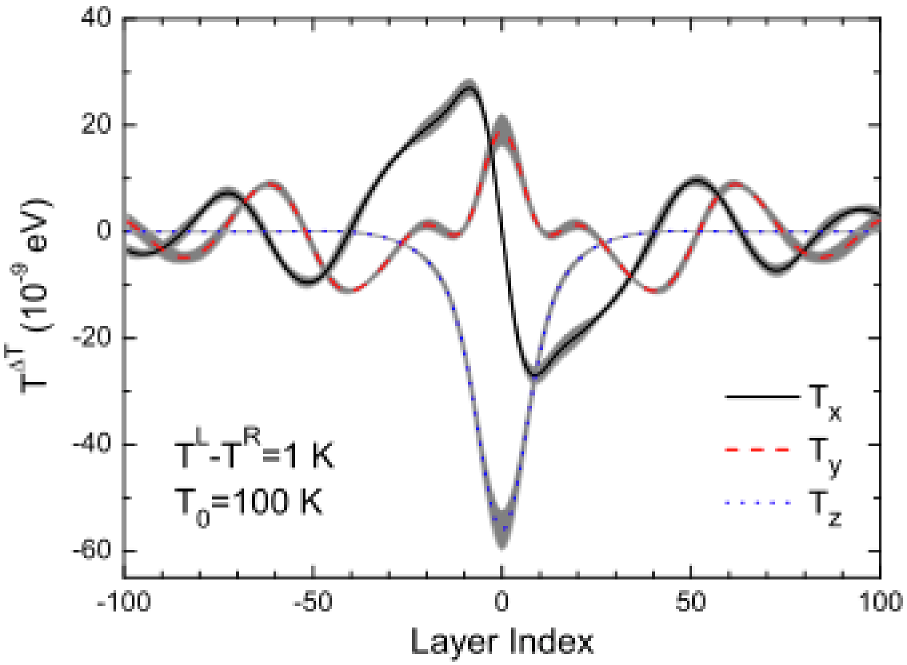


Z. Yuan,S. Wang, KX, Solid State Communication(Spin Caloritronics) (2009).

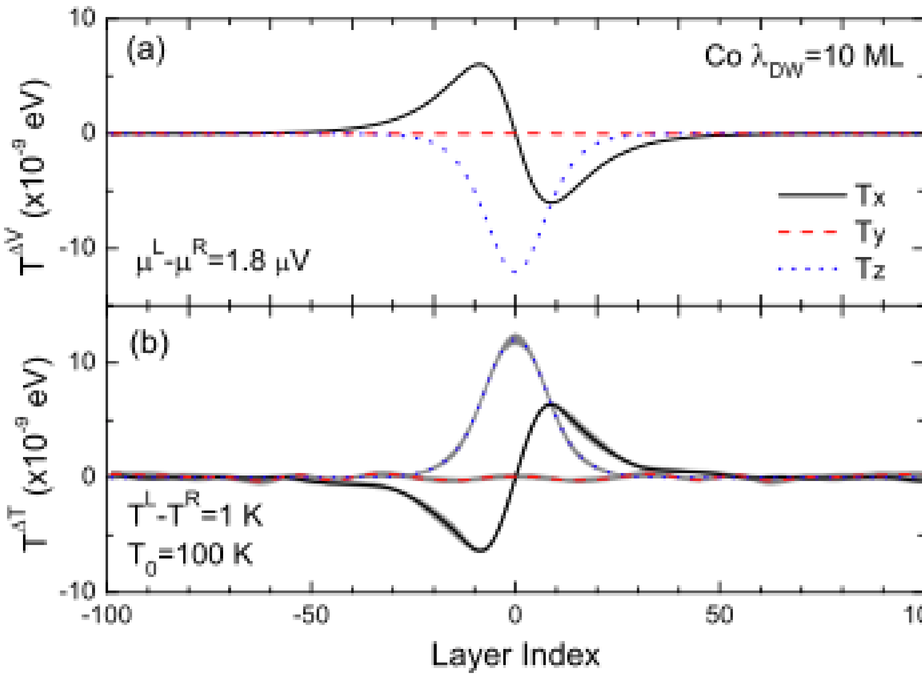
Bias- and temperature-STT

$$\mathbf{T}_n = \tilde{\mathbf{T}}_n eV_b + \frac{\pi^2 k_B^2 T_0 \Delta T}{3} \frac{\partial \tilde{\mathbf{T}}_n}{\partial \epsilon}\bigg|_{\epsilon=\mu_0}$$





Ni:



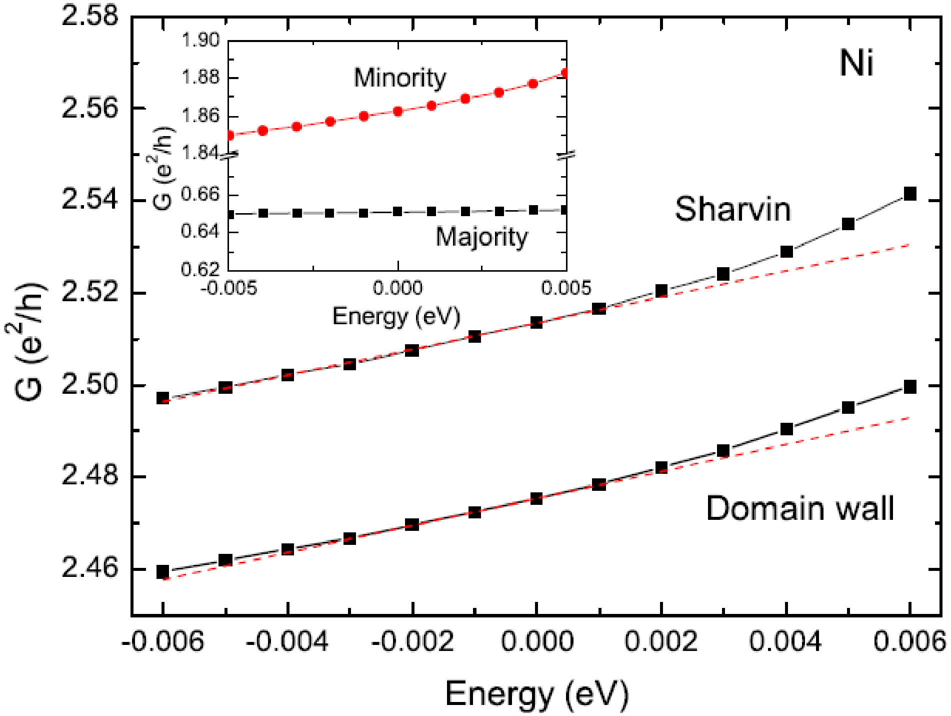
Co:

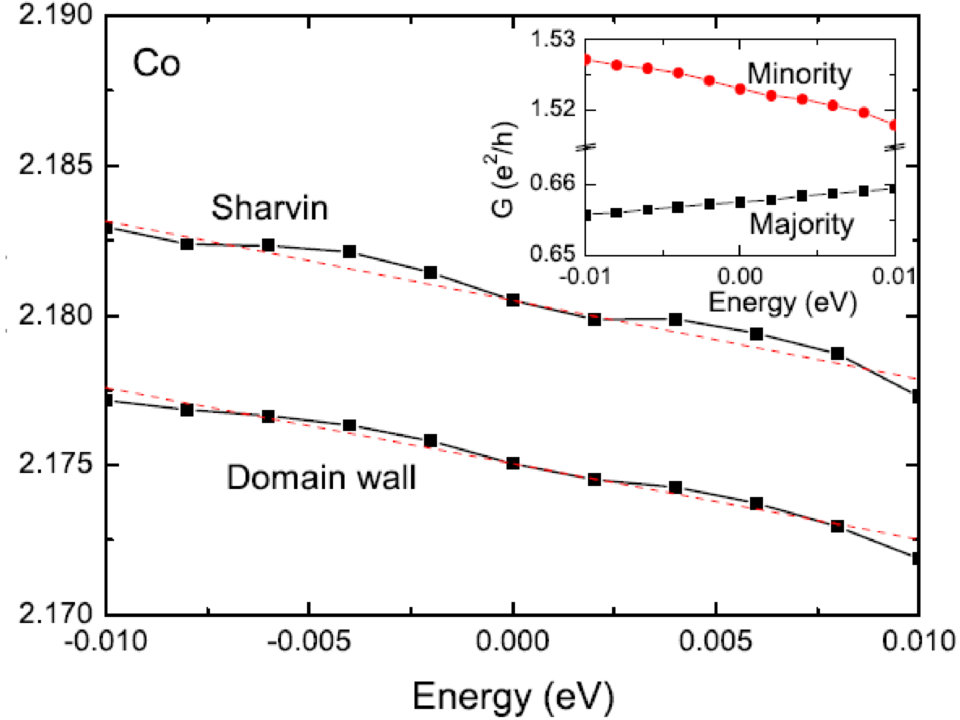
Peltier and Seebeck coefficients

	G' (e/hV)	G (e^2/h)	$\partial_\epsilon \ln G|_{\epsilon_F}$ (eV^{-1})	S/T $(\mathrm{nV/K}^2)$
Ni domain wall	2.94	2.48	1.19	-28.9
Ni Sharvin	2.84	2.51	1.13	-27.5
Polarized Sharvin P=0.23	–	–	0.57	-13.9
Co domain wall	-0.253	2.175	-0.116	2.83
Co Sharvin	-0.264	2.181	-0.121	2.95
Polarized Sharvin P=0.35	–	–	0.184	-4.50

$$P \equiv \frac{w_\uparrow G_\uparrow - w_\downarrow G_\downarrow}{w_\uparrow G_\uparrow + w_\downarrow G_\downarrow}$$

$$\bar{S} = w_\uparrow S_\uparrow + w_\downarrow S_\downarrow$$





Messages

- Spin-dependent transport properties of interfaces govern many magnetoelectronic phenomena.

- Agreement between interface-dominated transport properties calculated by first principles and the isotropy assumption with experimental values is (semi)-quantitative for itinerant systems like transition metals.

- Mixing conductance and spin-torque can be calculated and measured accurately.

Computational Materials Science

The End